

WIMP ASTRONOMY WITH DIRECTIONAL DETECTORS

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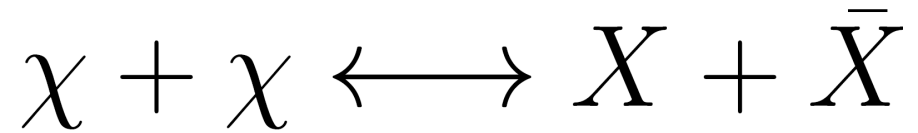
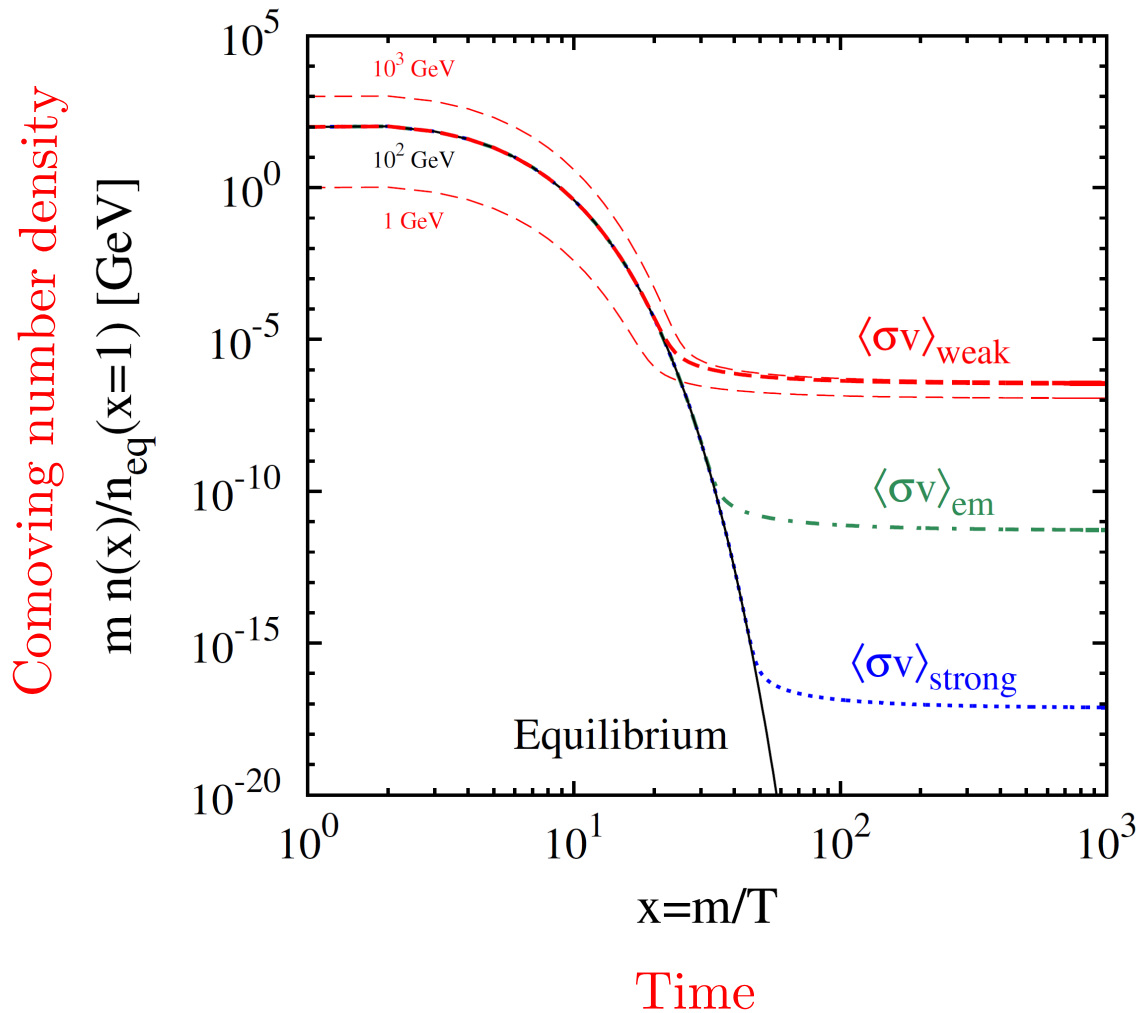
Based on arXiv:1410.2749 + current work

Overview

- Introduction
 - Dark matter detection
 - Directional detection
- Probing galactic dark matter velocity distribution
 - Expected signals from N-body simulations
 - Tidal streams and substructure
- Neutrino floor

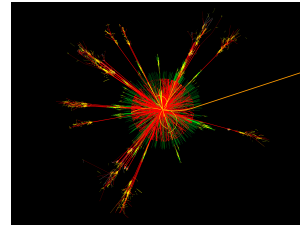
Weakly interacting massive particles (WIMPs)

- Self-annihilating particles with weak scale interactions



$$\Omega_{\text{dm}} h^2 \sim \langle \sigma v \rangle^{-1}$$

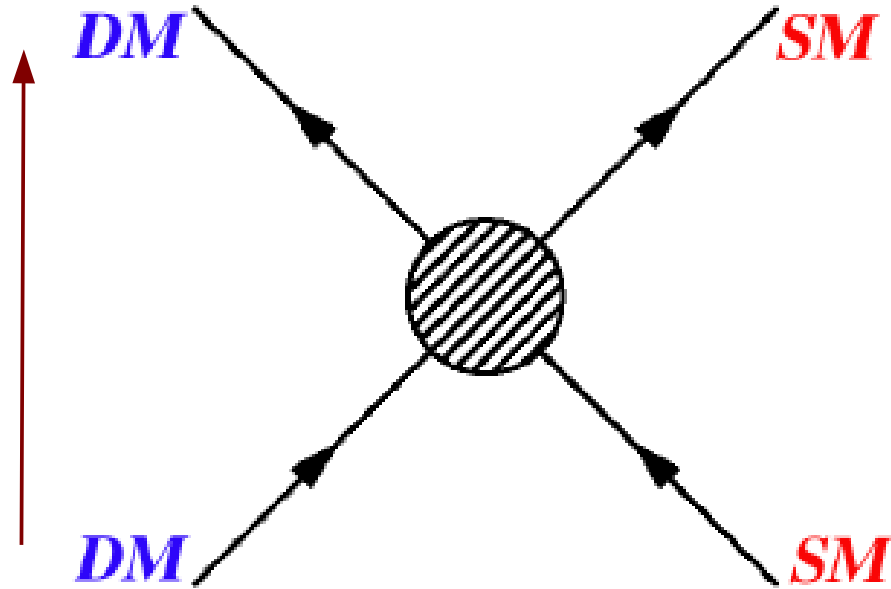
Detecting WIMPs



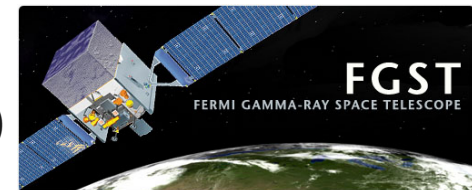
Production
(Particle colliders)



Direct detection
(Lab based experiments)



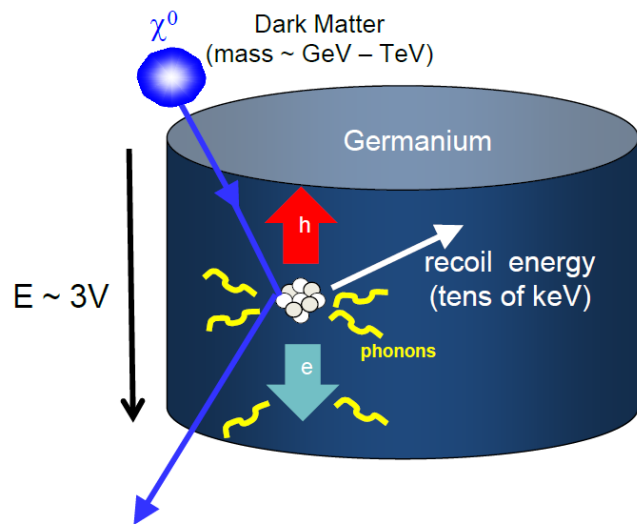
Indirect detection
(Astronomical observation)



Direct detection

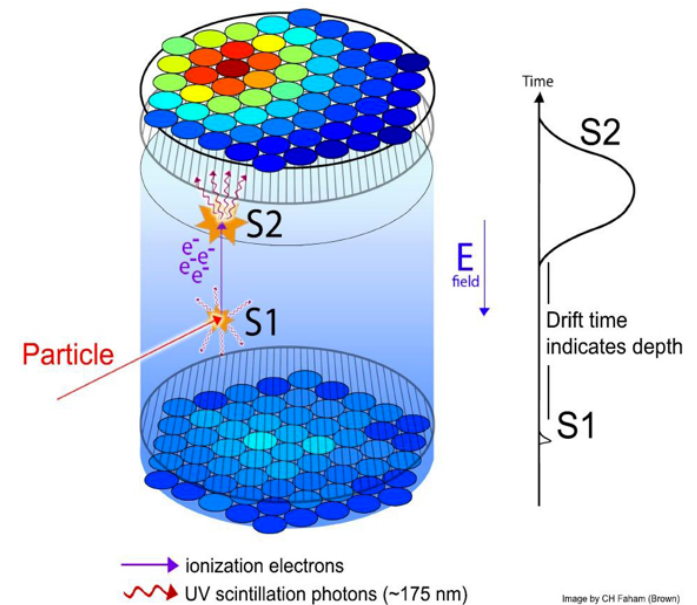
- Look for recoiling nuclei struck by WIMPs in Milky Way halo
- Very hard – lots of backgrounds

Cryogenic (heat)

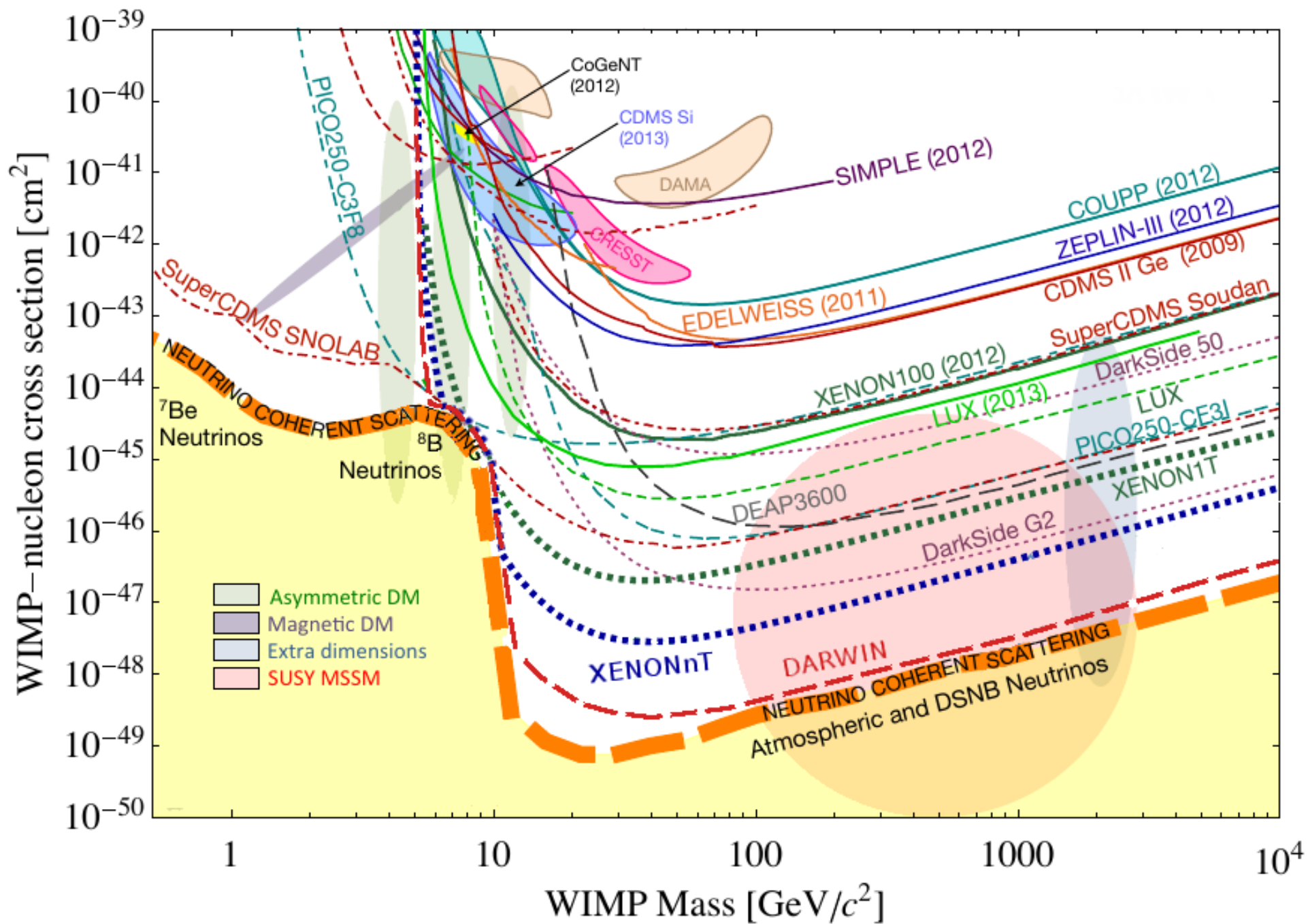


e.g. CDMS, CRESST, EDELWEISS

Liquid Noble (scintillation)



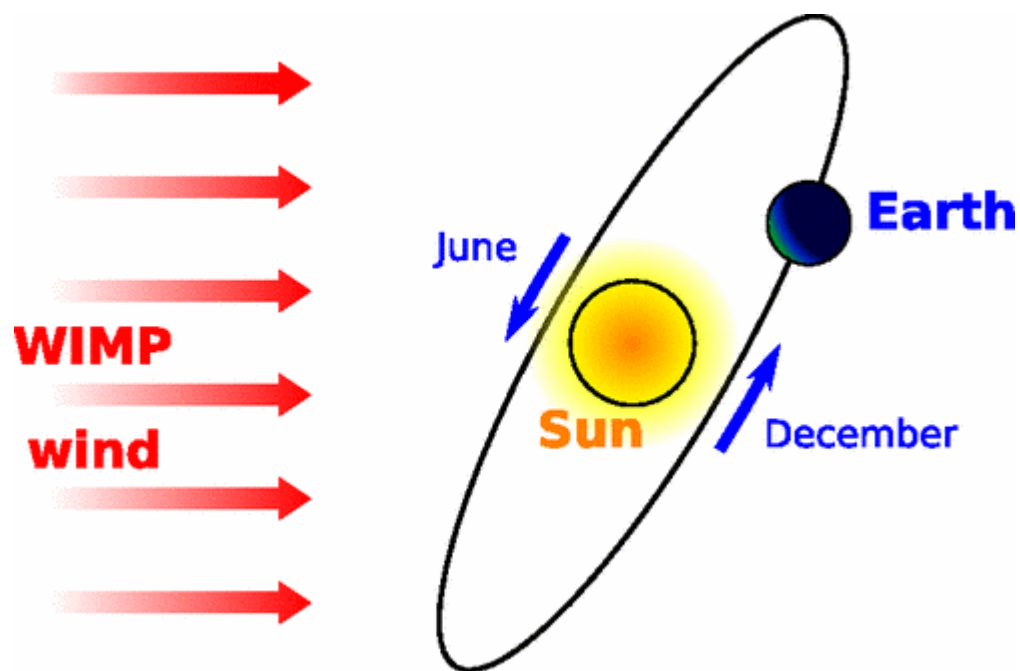
e.g. LUX, XENON, ZEPLIN





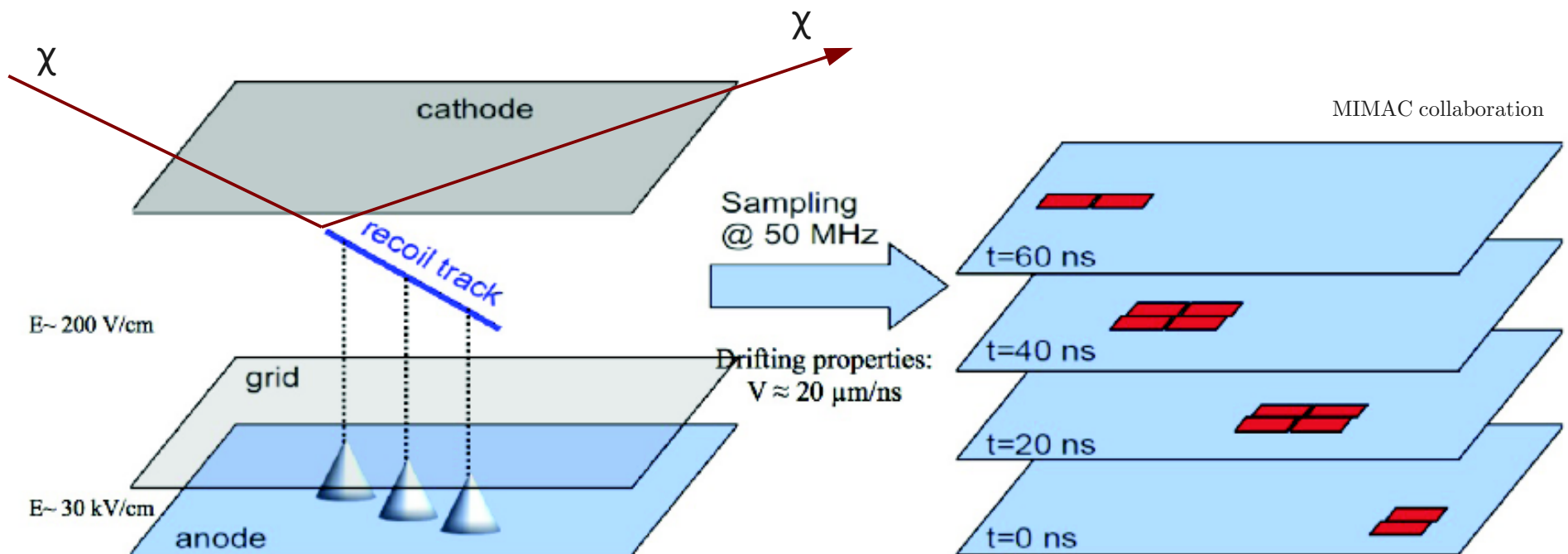
“Smoking gun” signals

- Annual Modulation (*Drukier, Freese & Spergel 1986*)
- Direction dependence (*Spergel 1988*)



Directional Detection

- Measure **energy and direction** of nuclear recoils
- Time Projection Chamber (TPC), usually with CF_4



- Others?
 - Emulsions, DNA strands, nano-explosives, carbon nanotubes ...

Directional Detection

- Advantages:
 - No mimicking backgrounds (c.f. DAMA/LIBRA ...)
 - Measure *velocity* distribution
 - Probe below neutrino floor

- Disadvantages:
 - Experimental challenge

But given time/compensation...?

Directional detection

- Double differential event rate:

$$\frac{d^2 R}{dE d\Omega_q} = \frac{\rho_0 \sigma_N}{4\pi m_\chi \mu^2} F^2(E) \hat{f}(v_{\min}(E), \hat{\mathbf{q}})$$

WIMP:	m_χ	WIMP mass
	σ_N	WIMP-nucleus cross section
Galactic Halo:	ρ_0	Local WIMP density
	$\hat{f}(v_{\min}, \hat{\mathbf{q}})$	Radon transform of velocity dist.
Nuclear physics:	$F(E)$	Nuclear form factor
	m_N	Nucleus mass
	μ	$m_\chi m_N / (m_\chi + m_N)$

Directional detection

- Radon transform of WIMP velocity distribution,

$$\hat{f}(v_{\min}, \hat{\mathbf{q}}) = \int \delta(\mathbf{v} \cdot \hat{\mathbf{q}} - v_{\min}) f(\mathbf{v}) d^3v$$

- at the smallest speed that can cause a recoil of energy, E

$$v_{\min} = \frac{1}{\mu} \sqrt{\frac{m_N E}{2}}$$

- Lab frame distribution = boost of Galactic frame distribution

$$f(\mathbf{v}) = f_{\text{gal}}(\mathbf{v} + \mathbf{v}_{\text{lab}})$$

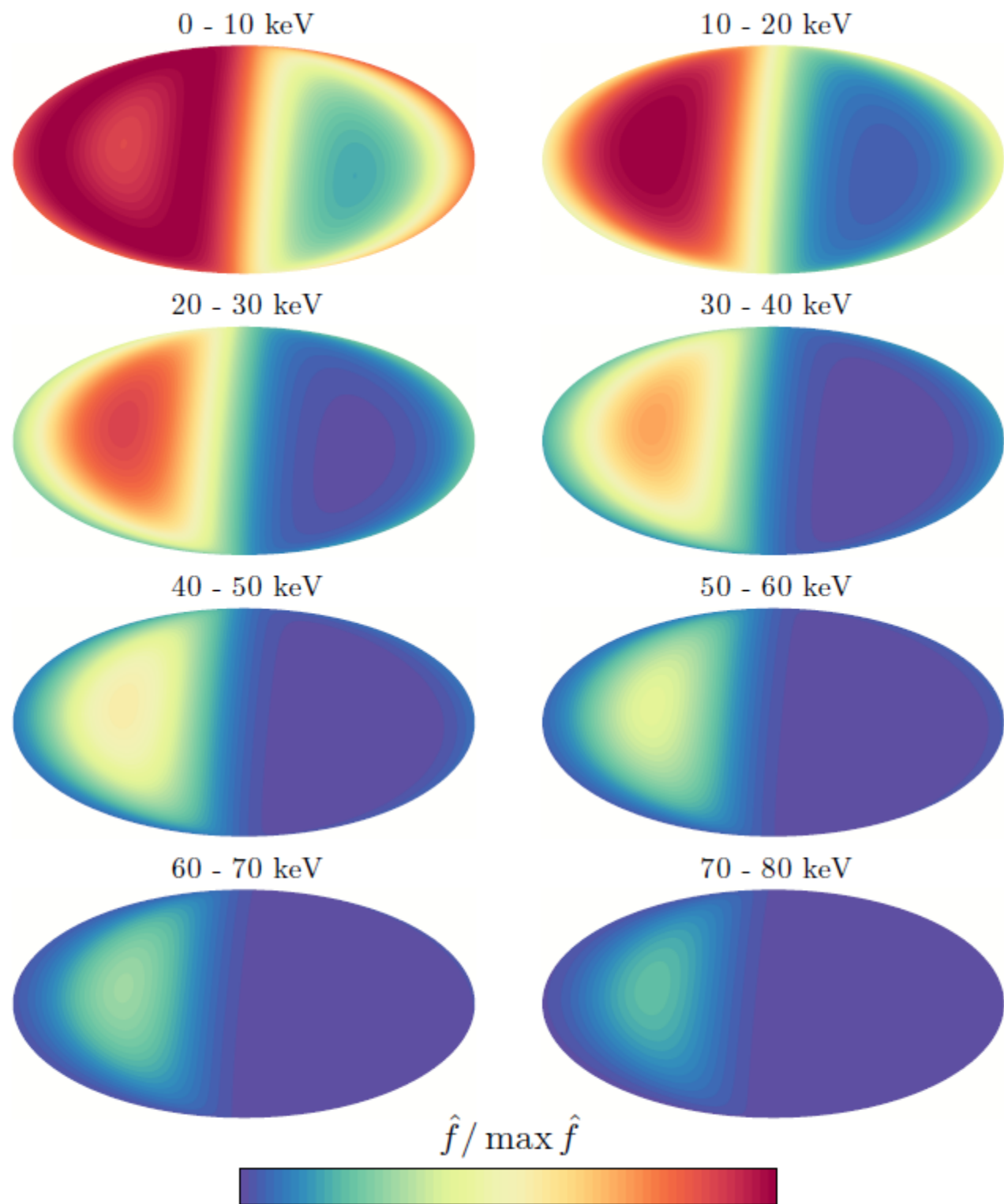
Velocity distribution

- “Standard Halo Model” used ubiquitously in current data analysis

$$f_{\text{gal}}(\mathbf{v}) = \frac{1}{N_{\text{esc}}(2\pi\sigma_v^2)^{3/2}} \exp\left(-\frac{|\mathbf{v}|^2}{2\sigma_v^2}\right) \theta(v_{\text{esc}} - |\mathbf{v}|)$$

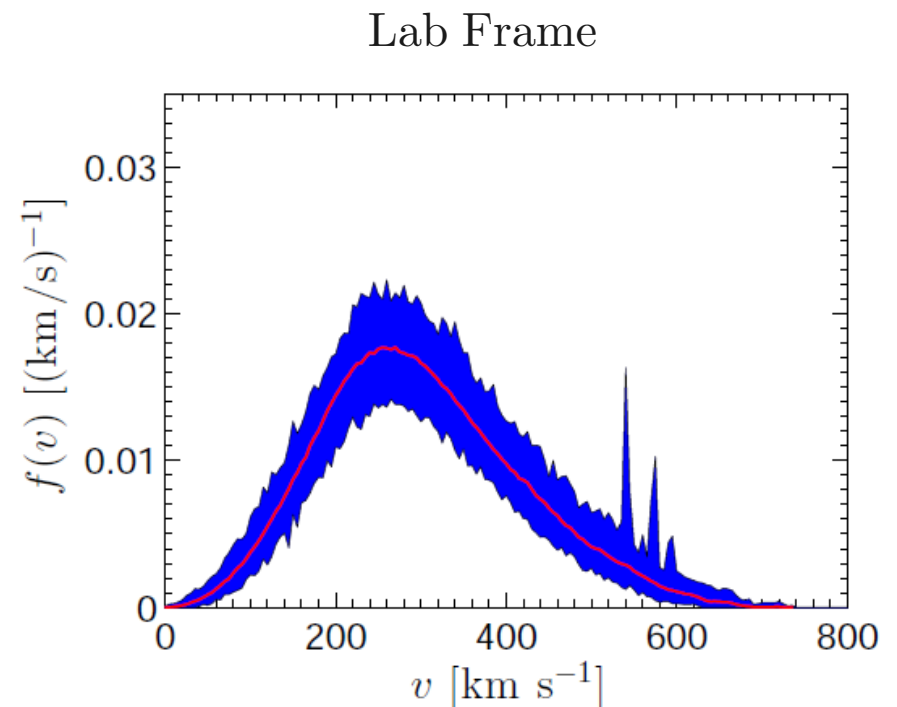
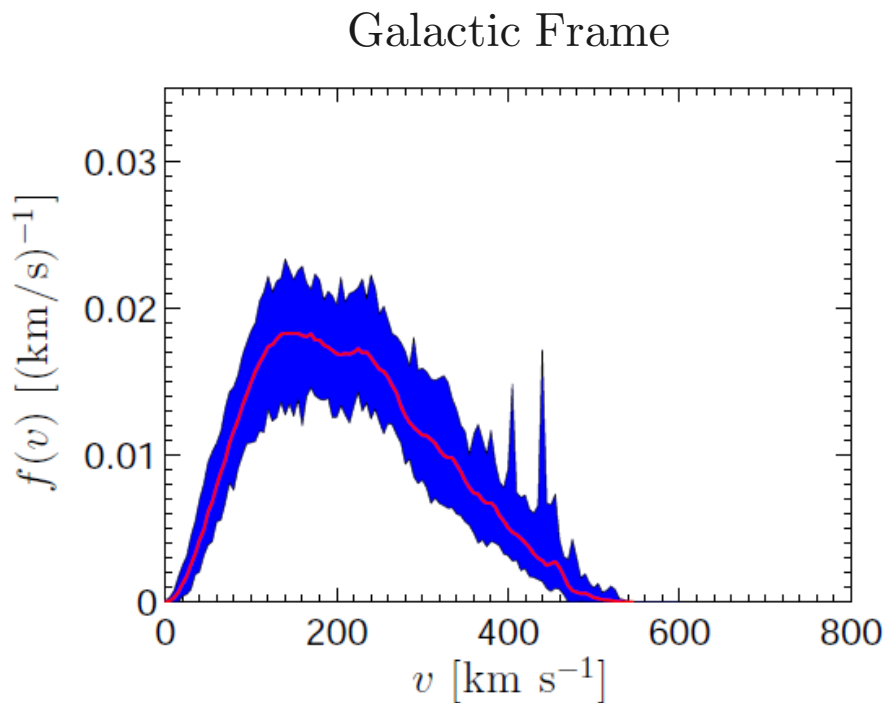
- Radon transform of lab frame distribution

$$\hat{f}_{\text{lab}}(v_{\text{min}}(E), \hat{\mathbf{q}}) = \frac{1}{N_{\text{esc}}(2\pi\sigma_v^2)^{1/2}} \left[\exp\left(-\frac{|v_{\text{min}}(E) + \mathbf{v}_{\text{lab}} \cdot \hat{\mathbf{q}}|^2}{2\sigma_v^2}\right) - \exp\left(-\frac{v_{\text{esc}}^2}{2\sigma_v^2}\right) \right]$$



More realistic distributions

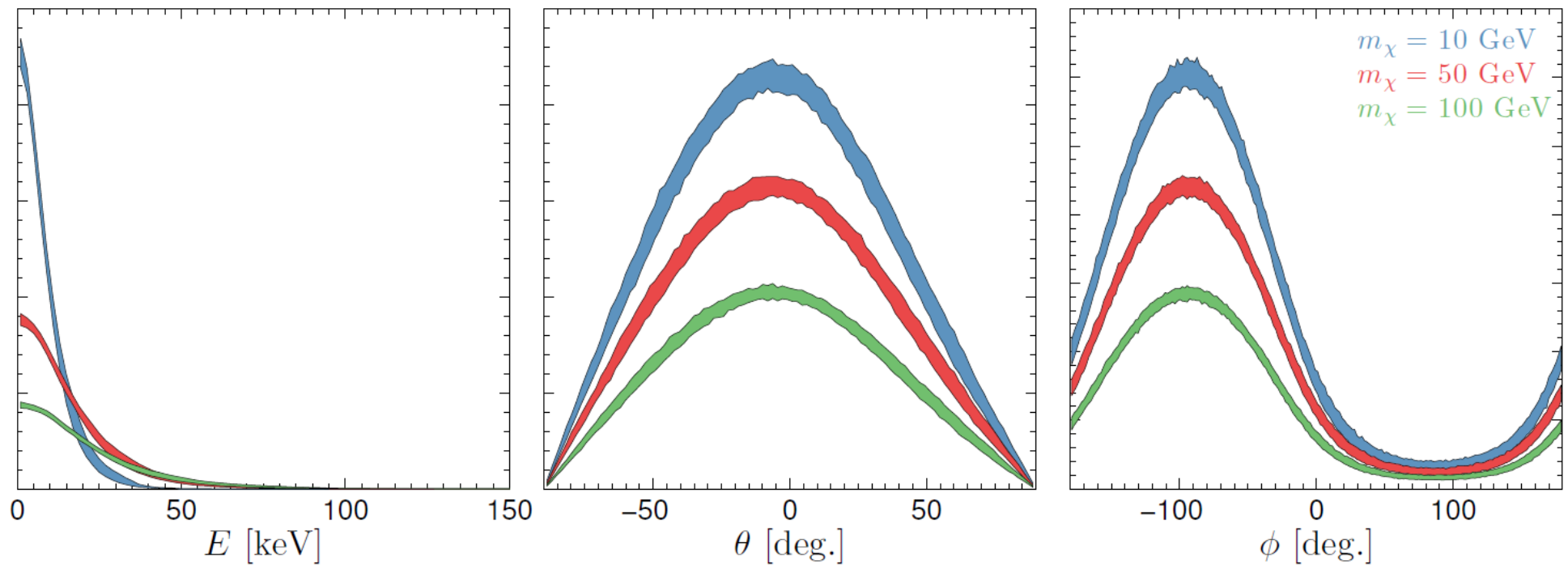
- Evidence from simulations that distribution is *not* smooth or isotropic
- E.g. Via-Lactea2 analogue Earth distributions:



More realistic distributions

- Avg. recoil signals from VL2 distributions over 10 kg yr exposure
- Distributions in energy, angle:

Re-scaled distributions



- To detect broad changes in the model need $>$ several thousand events

Tidal streams

- Tidal stream from accretion of dark matter from satellite galaxy
- Full distribution = Background halo + Stream

Background halo dispersion ~ 200 km/s

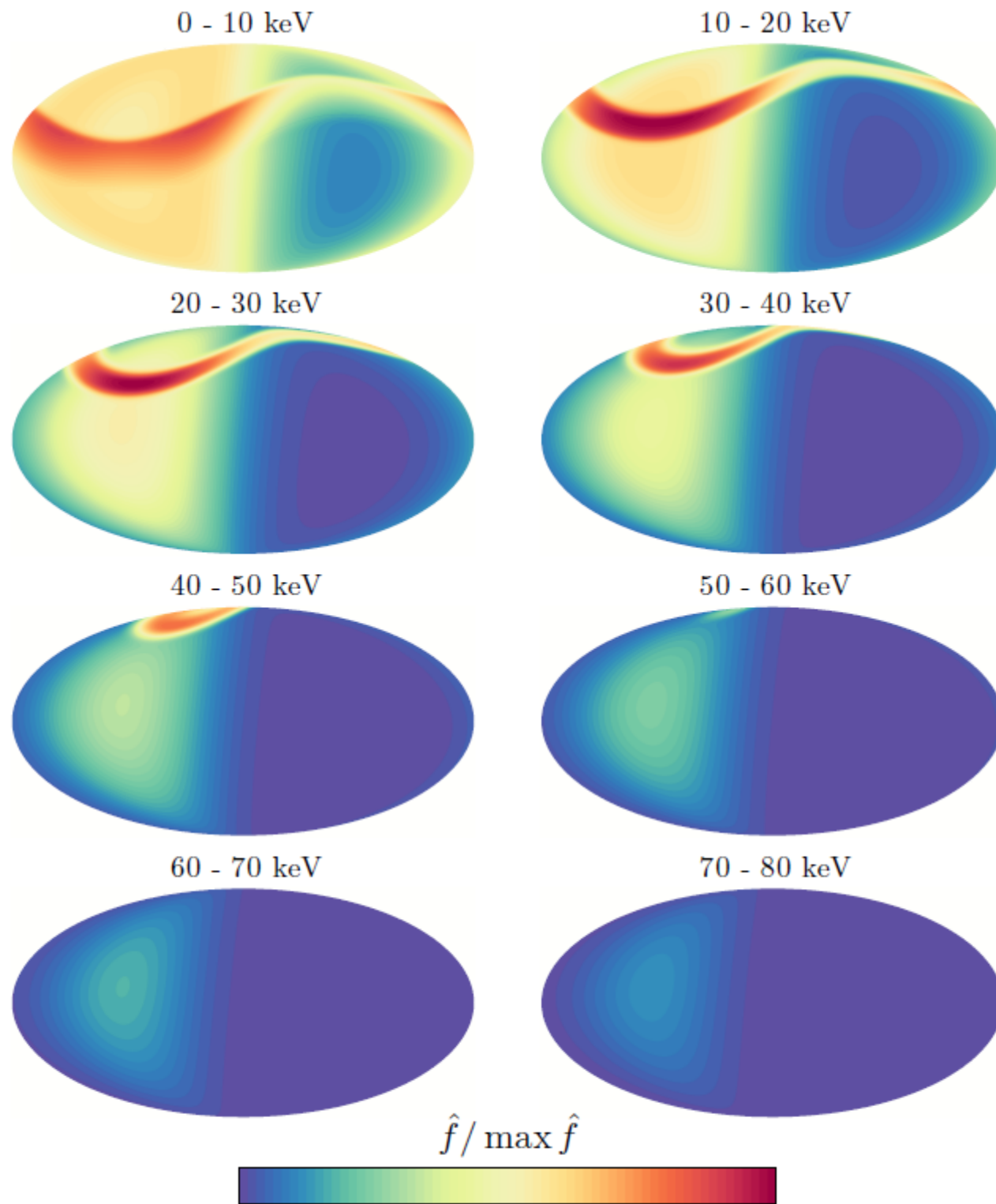
$$\hat{f}_{\text{lab}}(v_{\text{min}}, \hat{\mathbf{q}}) = (1 - \xi) \hat{f}_{\text{gal}}(v_{\text{min}} + \mathbf{v}_{\text{lab}} \cdot \hat{\mathbf{q}}, \hat{\mathbf{q}}; \sigma_v, v_{\text{esc}})$$

$$+ \xi \hat{f}_{\text{gal}}(v_{\text{min}} + (\mathbf{v}_{\text{lab}} - \mathbf{v}_{\text{str}}) \cdot \hat{\mathbf{q}}, \hat{\mathbf{q}}; \sigma_{\text{str}}, v_{\text{esc}})$$

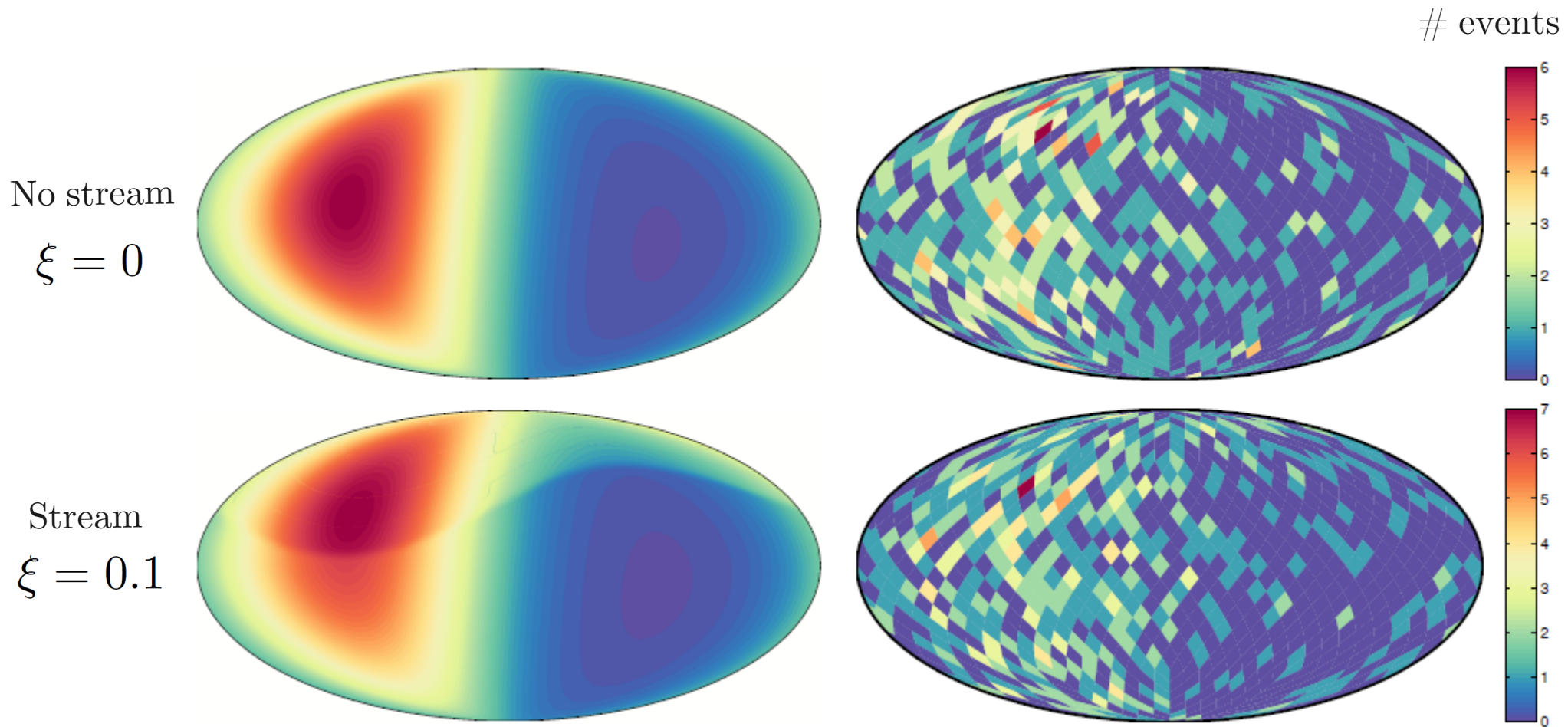
Stream fraction $\sim 10\%$

Galactic frame stream velocity

Stream dispersion ~ 10 km/s



Detecting streams

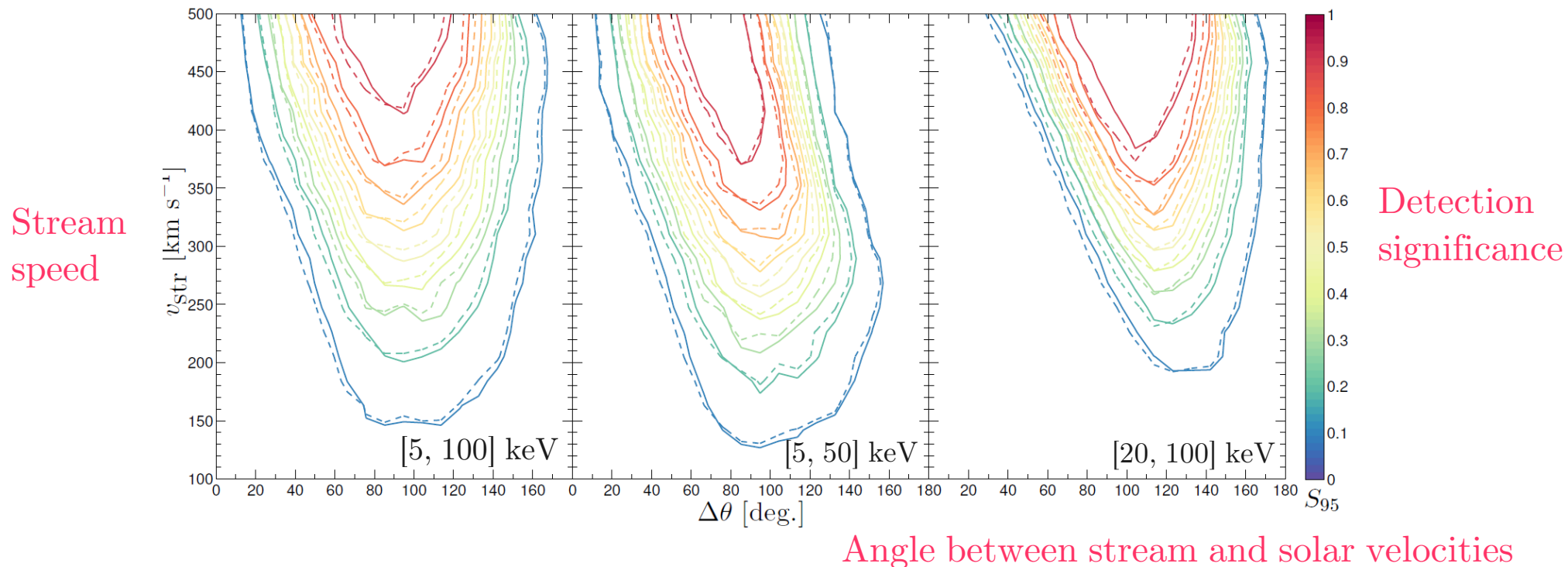


1. Discriminate between smooth halo and halo with substructure
2. Measure properties of stream (density, velocity, dispersion)

Detecting streams: results

1. Discriminate between isotropic halo and halo with substructure

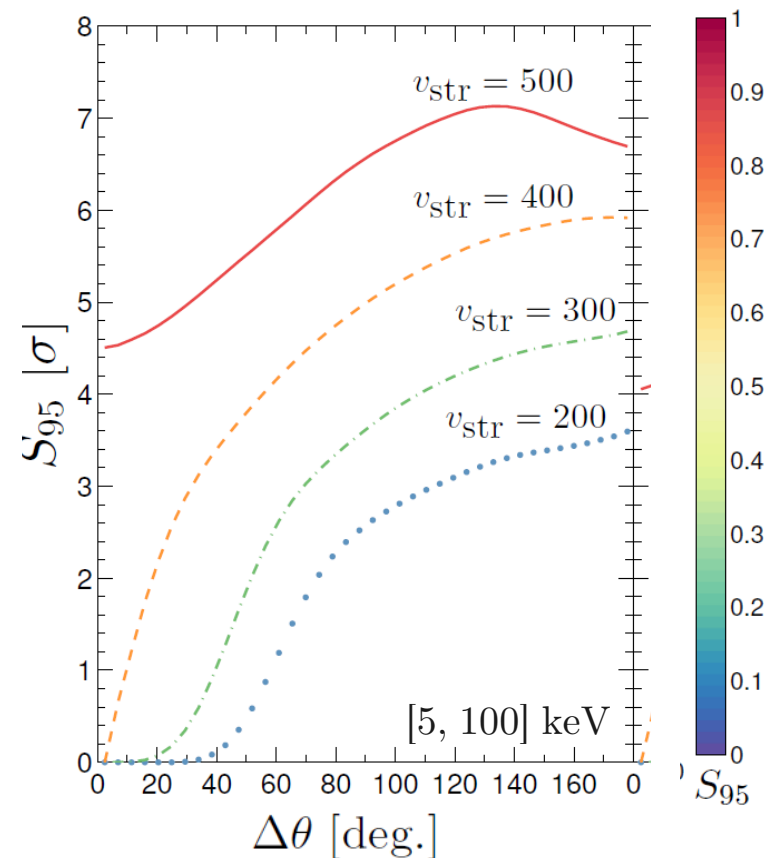
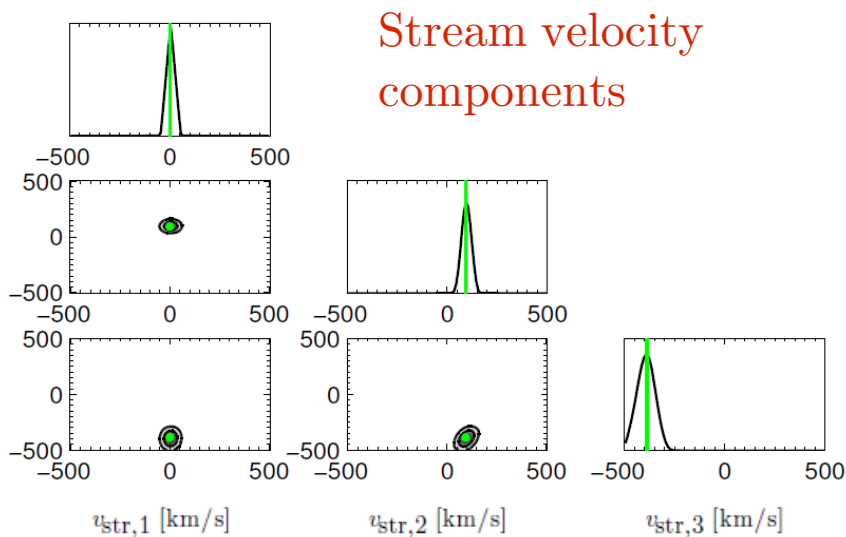
- Non-parametric tests (median direction, rotational symmetry)
- Need > 30 kg yr exposure to detect at 95% confidence
- Favours fast streams and streams aligned at 90 degrees to solar motion



Detecting streams: results

2. Measure properties of stream (density, velocity, dispersion)

- Bayesian parameter reconstruction, profile likelihood ratio test
- Discriminate between isotropic halo and stream at 95% level with 5 kg yr, and achieve correct parameter reconstruction

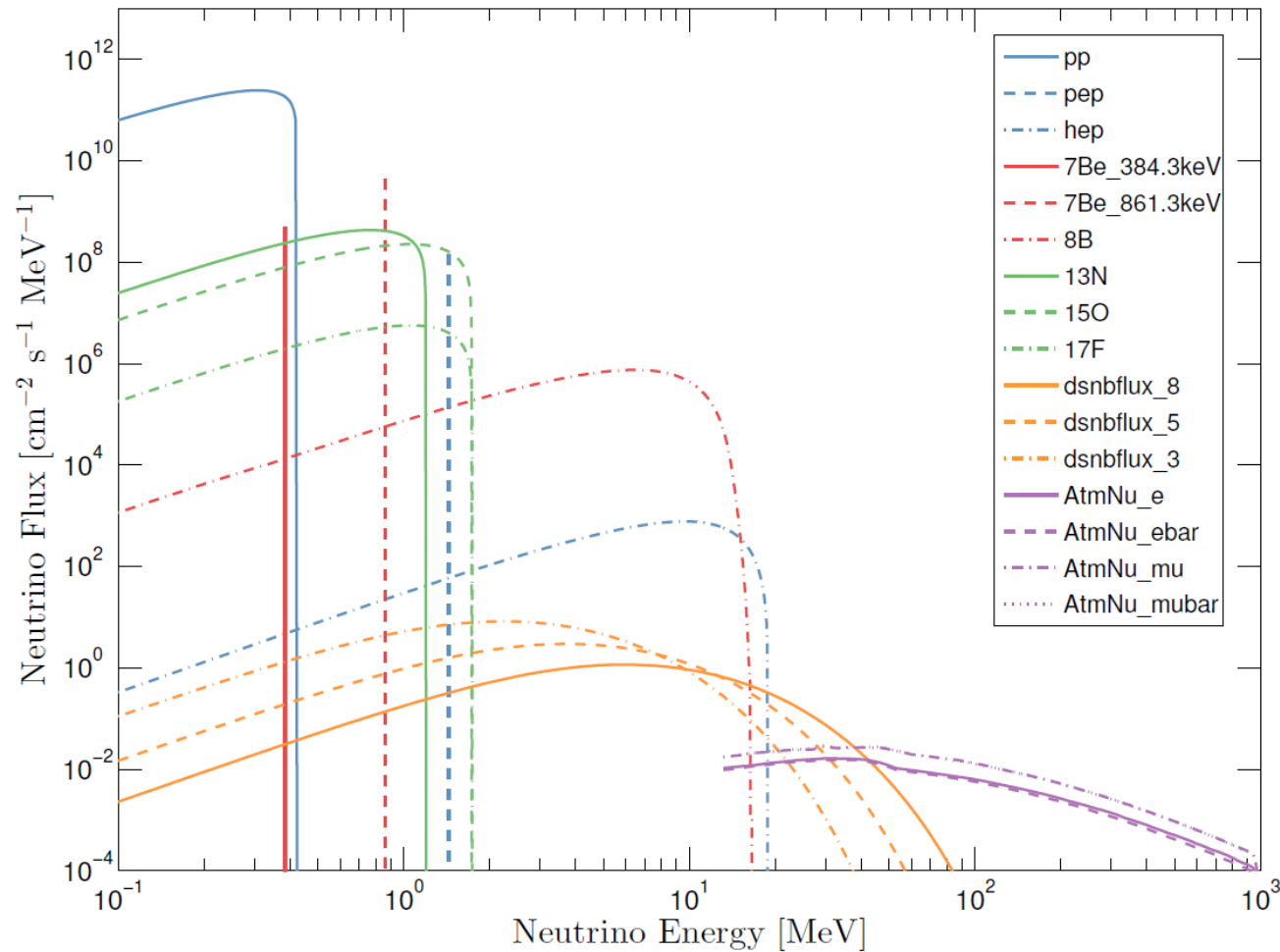


Other forms of substructure

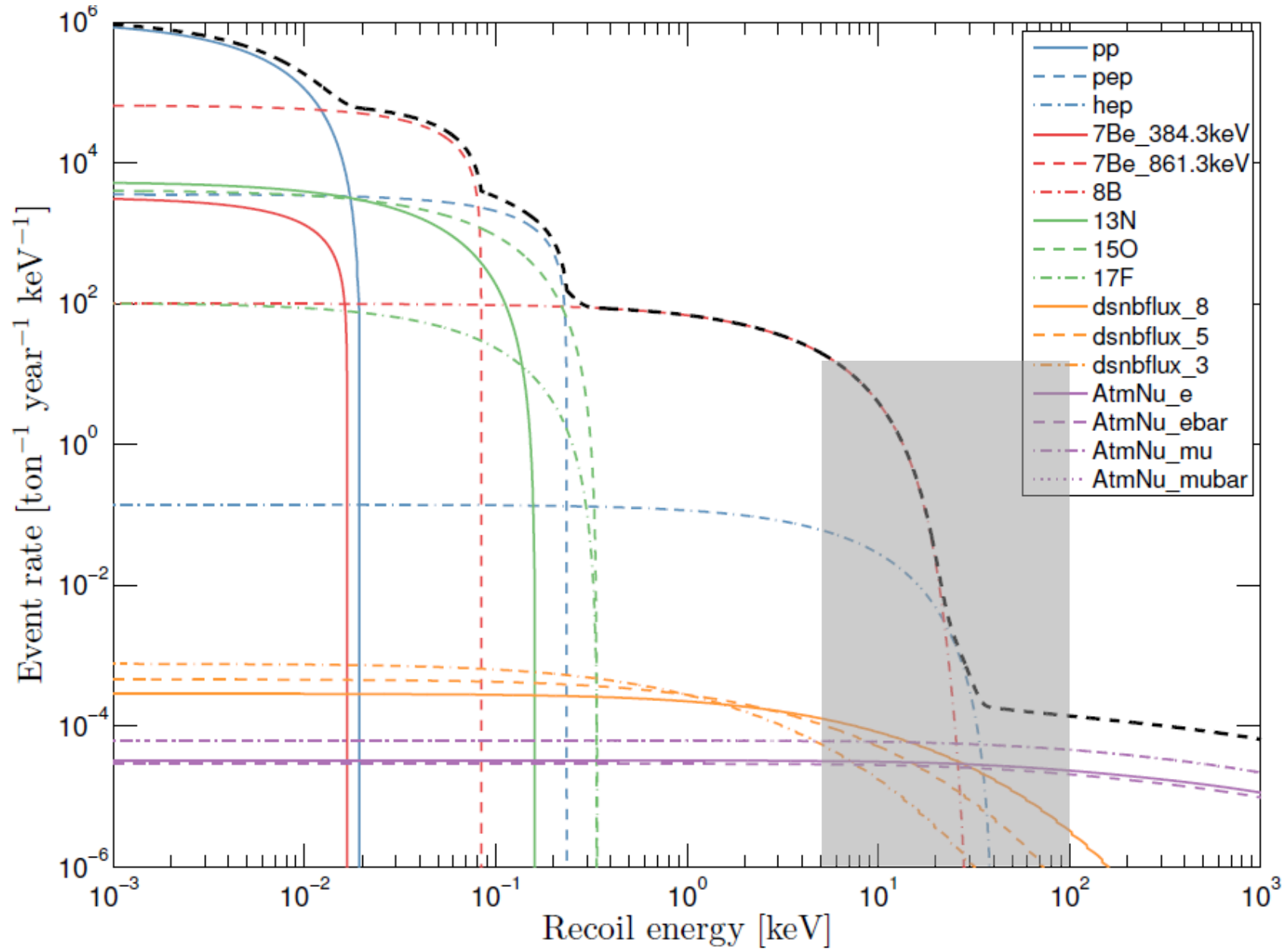
- Streams highly spatially and kinematically localised hence (relatively) easy to detect
- Other forms of substructure, e.g. dark disc, debris flow, harder to detect

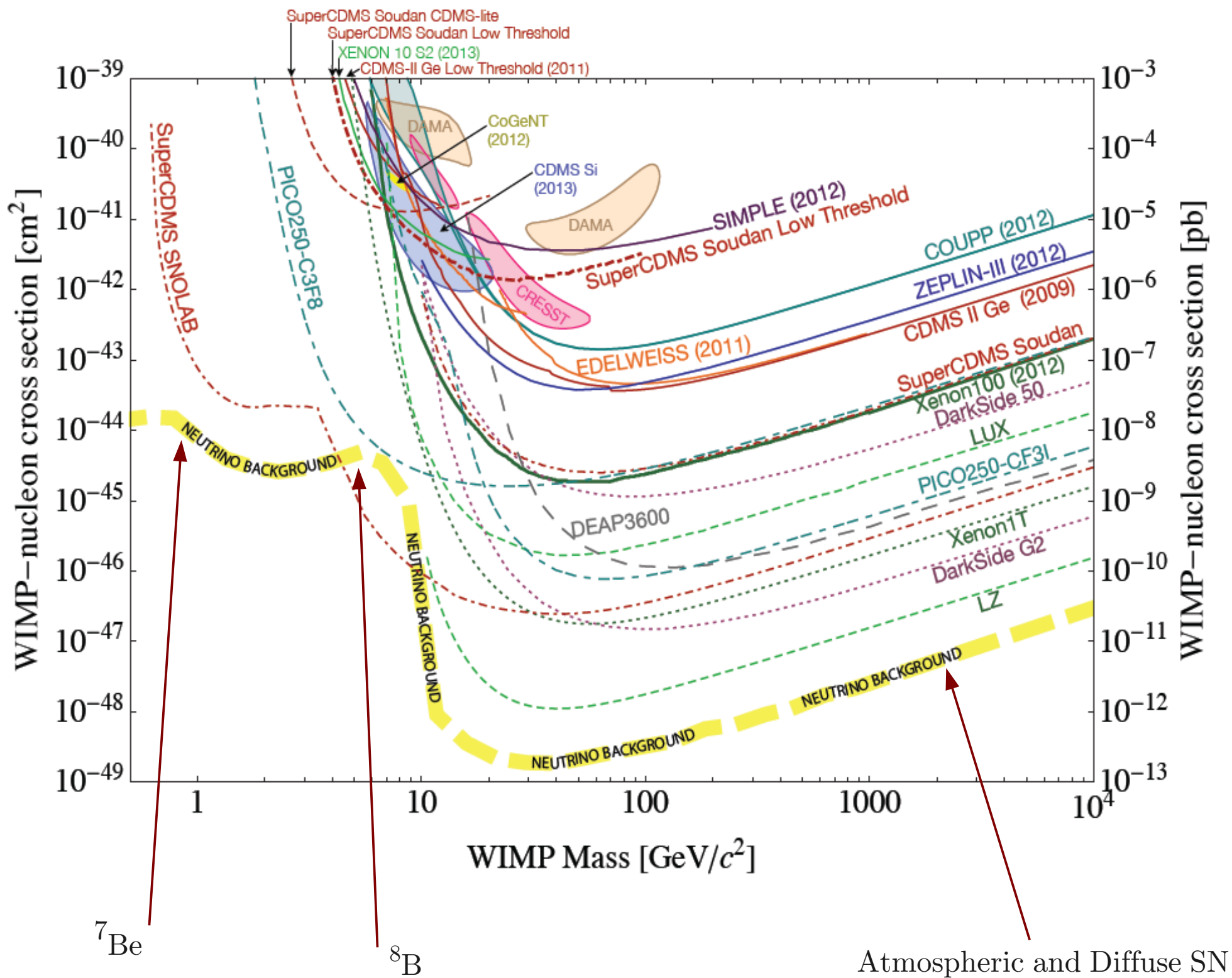
Neutrino backgrounds

- Neutrino-nucleus scattering an irreducible background
- Solar, atmospheric, supernovae, reactor ...



Neutrino backgrounds





Summary

- Directional detection provides unambiguous evidence for signal of galactic origin
- Can probe local velocity distribution
- Streams may be observed with long exposures or scaled up detectors
- However, detectability dependent on orientation of substructure with respect to Earth's motion
- Directional detection capable of probing below the neutrino floor