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WIMP/axion astronomy in dark matter experiments

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The problem:

Predicting direct detection signals requires knowledge of the *unknown* dark matter velocity distribution

The solution:

Pre-detection

- Make an assumption
- Account for our ignorance
- Figure out what it might be (simulations)



Post-detection:

- Measure it (this talk)

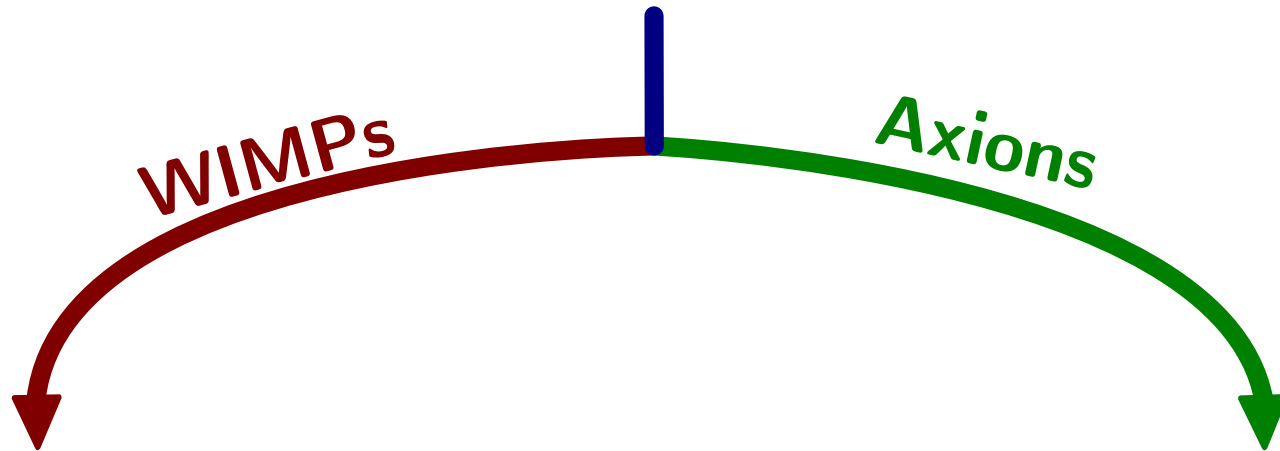
Outline

Astrophysical uncertainties in dark matter detection

- › C. A. J. O'Hare [1604.03858]



Measuring the dark matter velocity distribution



Directional detectors

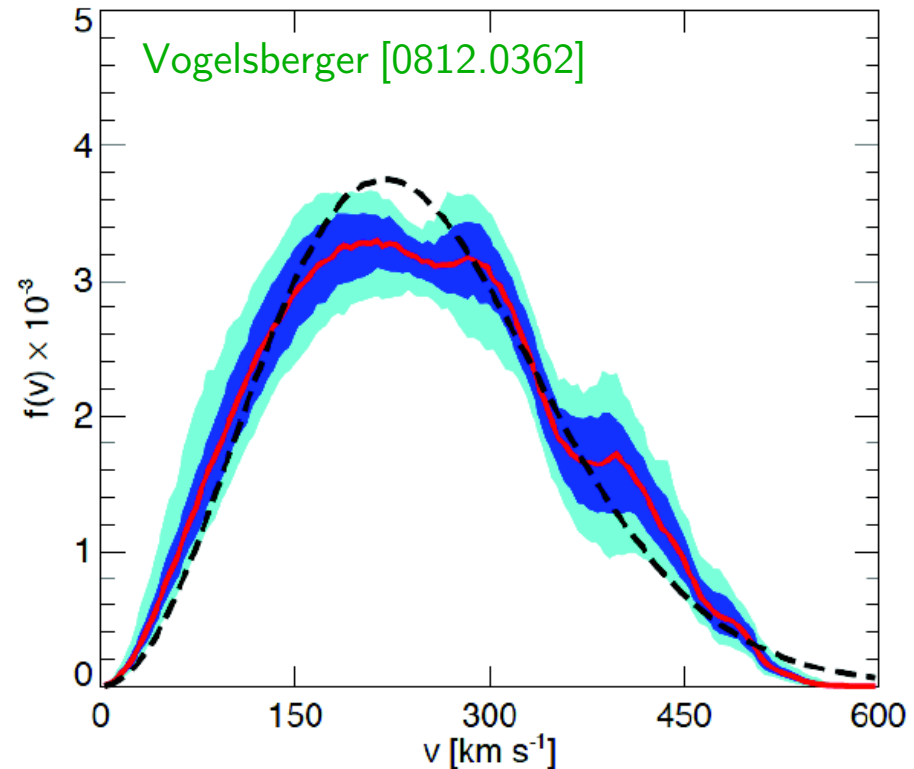
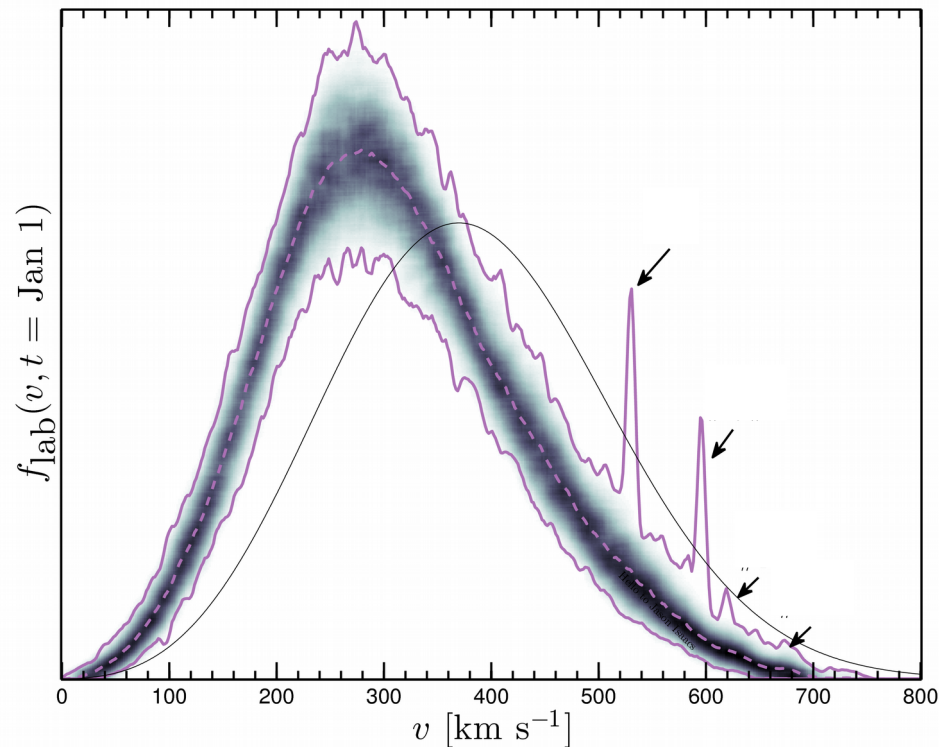
- › C. A. J. O'Hare & A. M. Green [1410.2749]
- › B. J. Kavanagh & C. A. J. O'Hare [1609.08630]

Haloscopes

- › C. A. J. O'Hare & A. M. Green [1701.03118]

The Milky Way velocity distribution

- Usually assume Maxwellian $f(v)$
- Simulations persistently exhibit non-Maxwellian features and can include substructure components,
e.g. → streams [Purcell et al. \[1203.6617\]](#)
→ dark disk [Schaller et al. \[1605.02770\]](#)
→ debris flows [Kuhlen et al. \[1202.0007\]](#)
→ axion miniclusters [Kolb & Tkachev \[hep-ph/9303313\]](#)

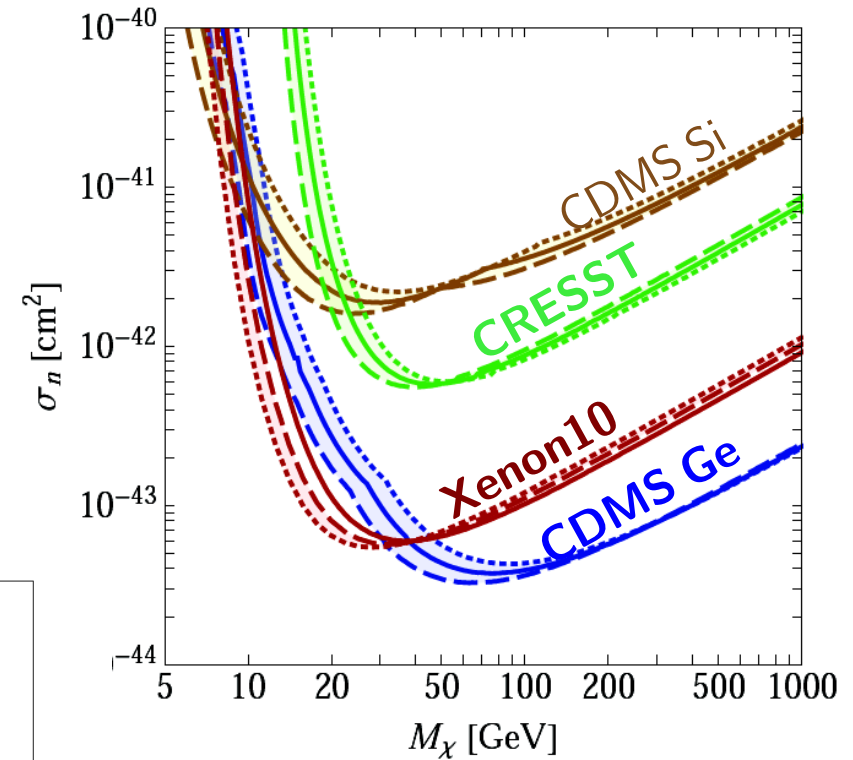
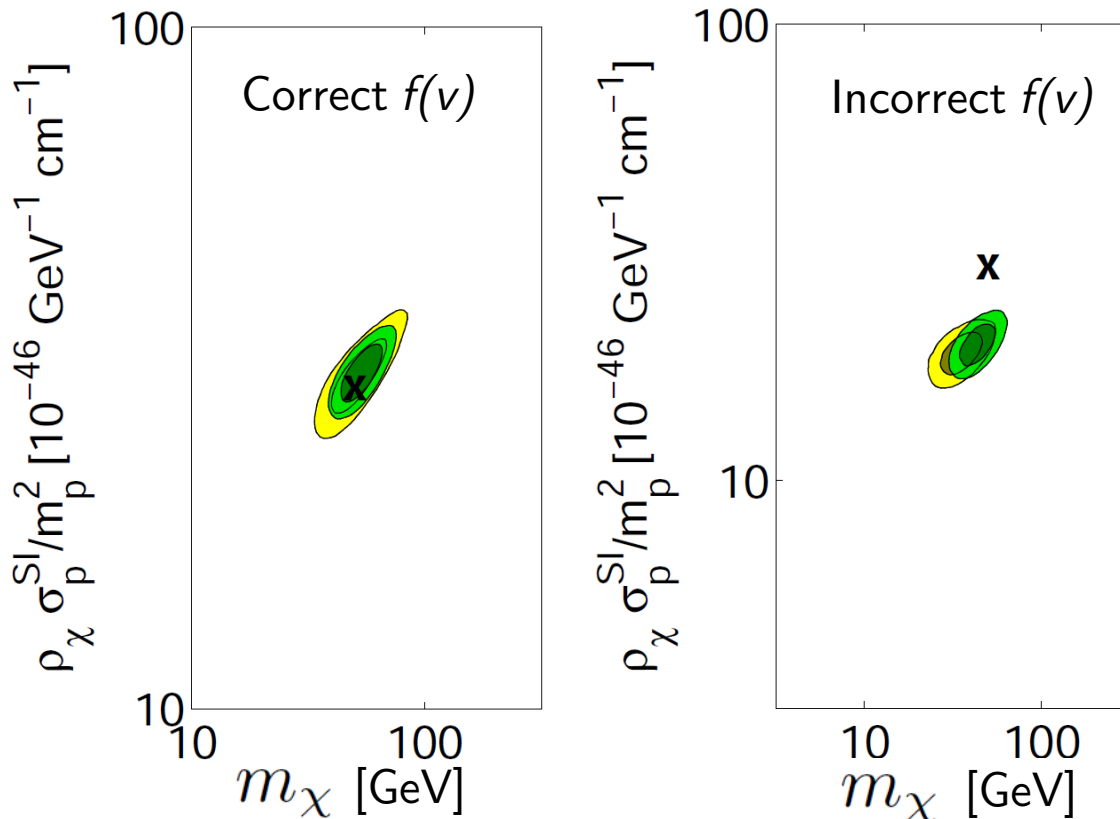


Effect of astrophysical uncertainties

Uncertainty in exclusion limits \rightarrow

e.g. McCabe [1005.0579]

“What have I ruled out?”

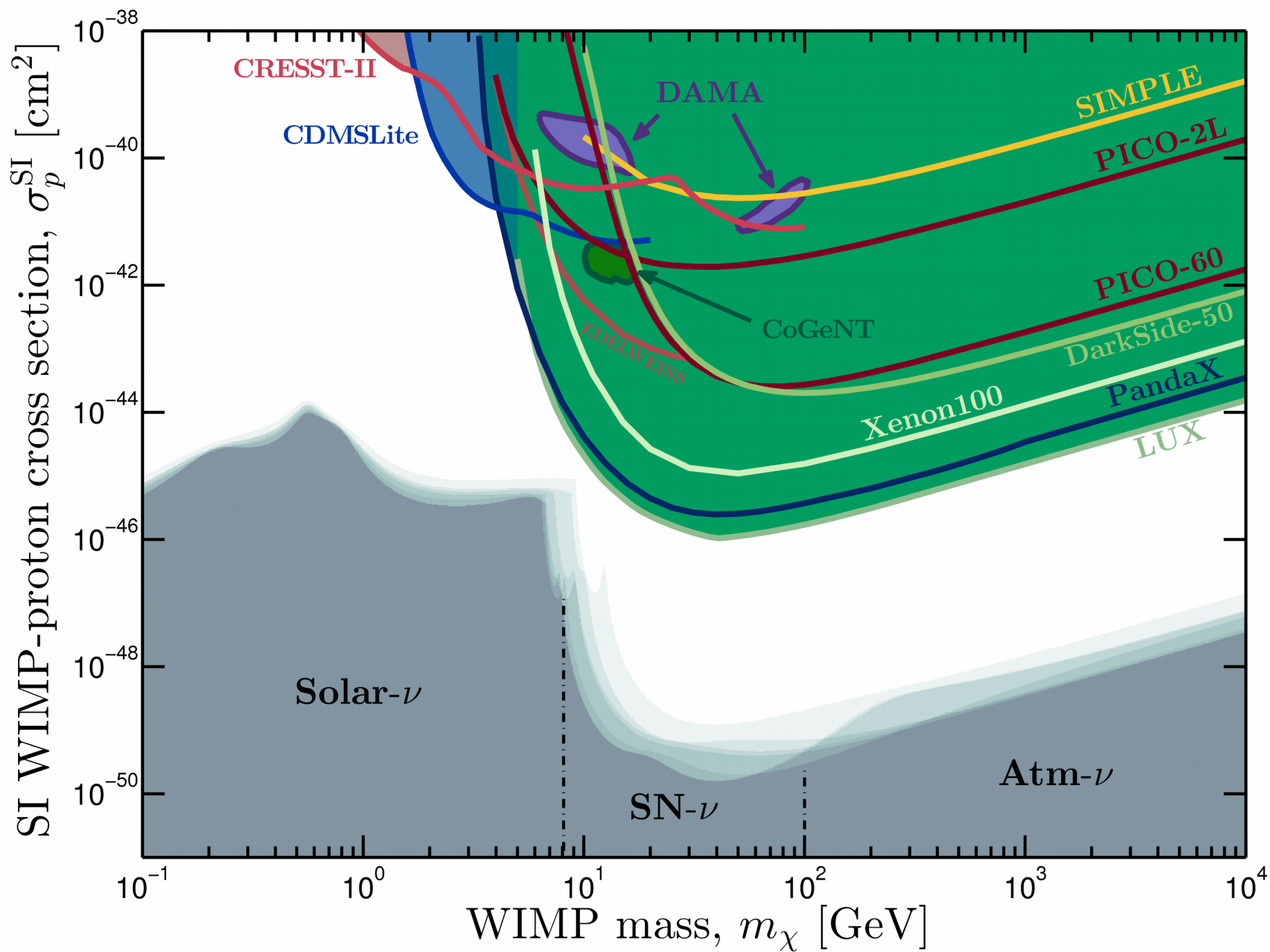


\leftarrow Biased parameter estimation

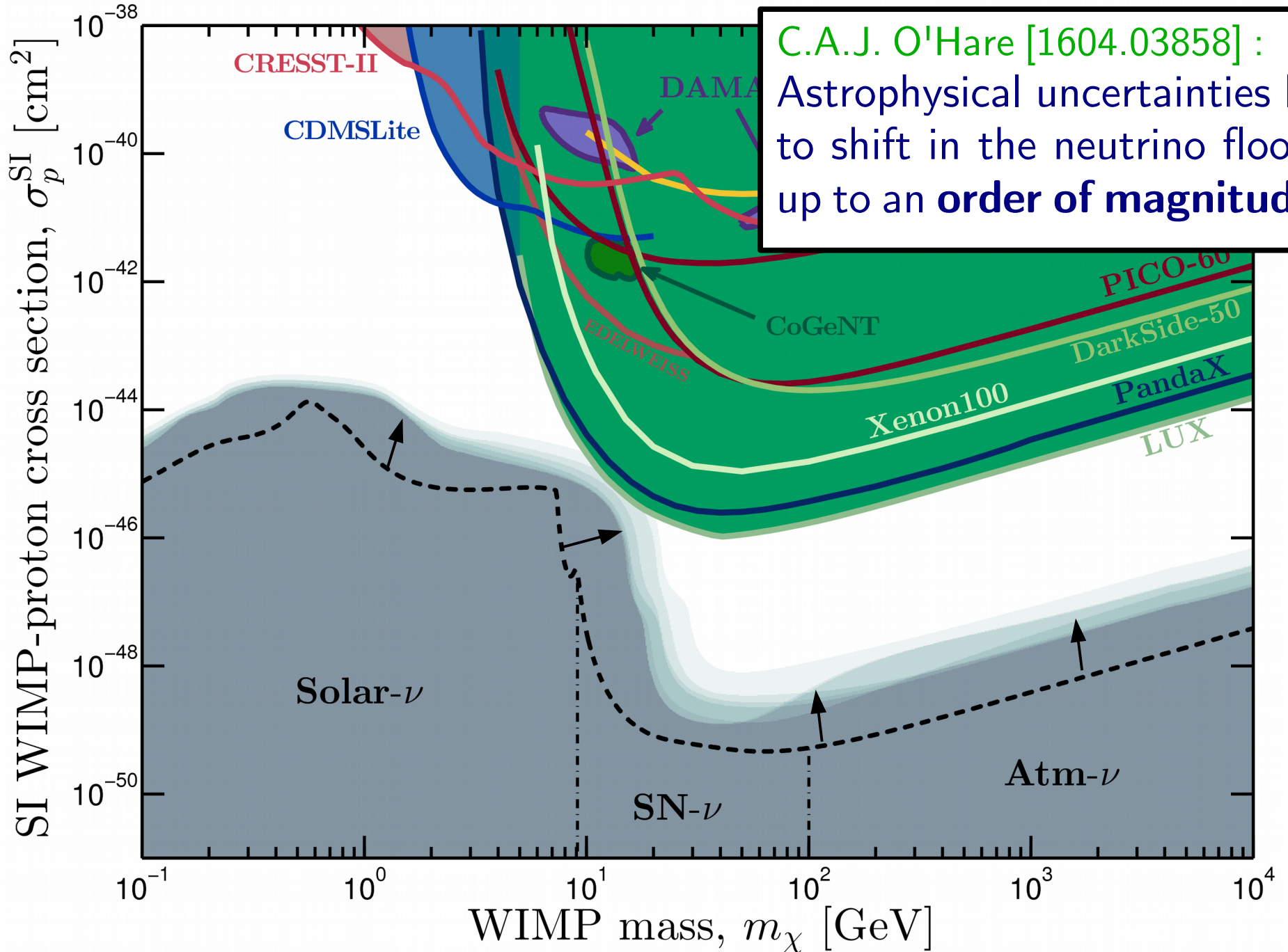
e.g. Peter [1103.5145]

“What have I measured?”

The neutrino floor



The neutrino floor

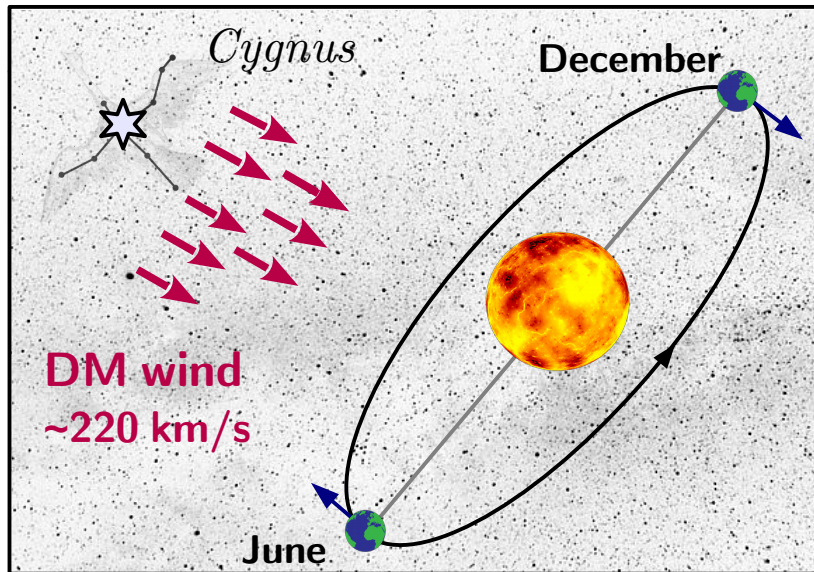


**Astrophysical uncertainties cause
problems for direct detection**

**Solution: go and measure the local
Milky Way halo directly**

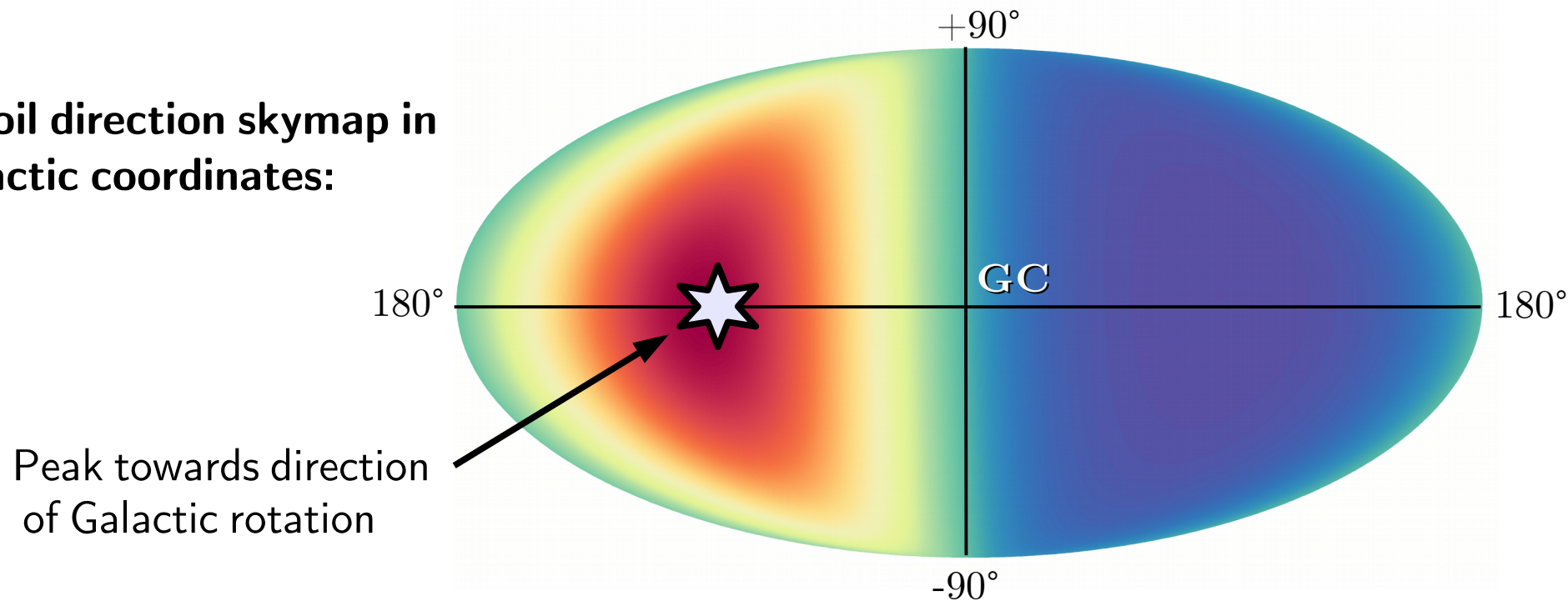
**Bonus: find out about the formation history
of the Milky Way...**

Directional detection

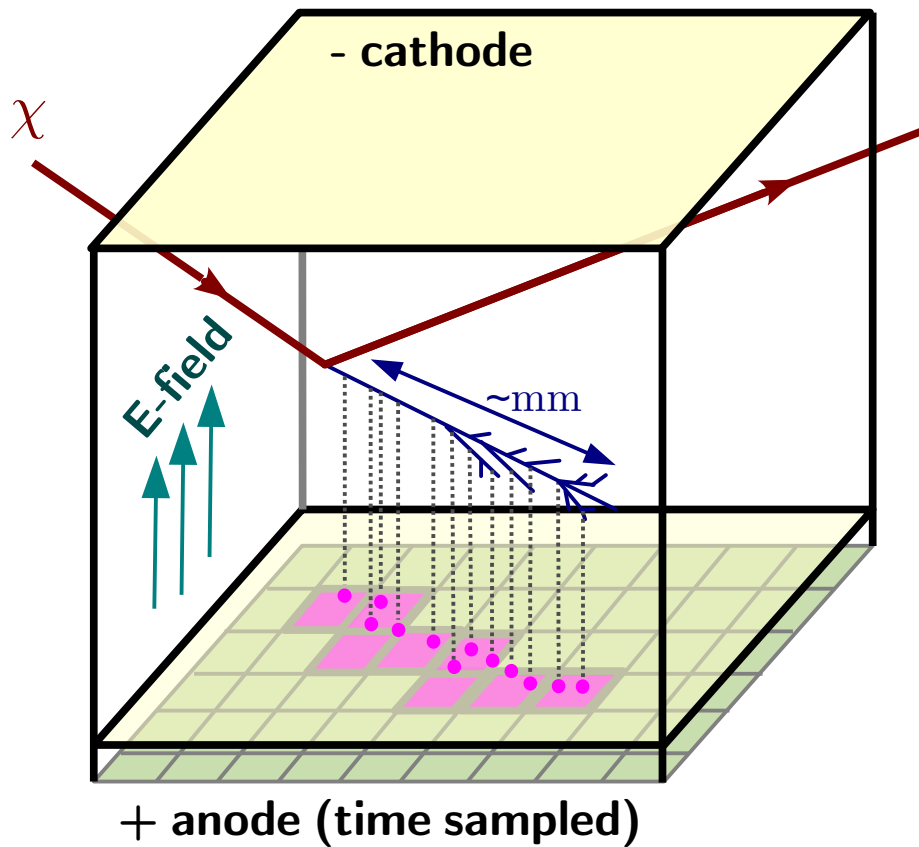


- Probing the velocity distribution is hard with recoil energy information alone
[Lee & Peter \[1202.5035\]](#)
- But recoil energies **and directions...**

Recoil direction skymap in Galactic coordinates:



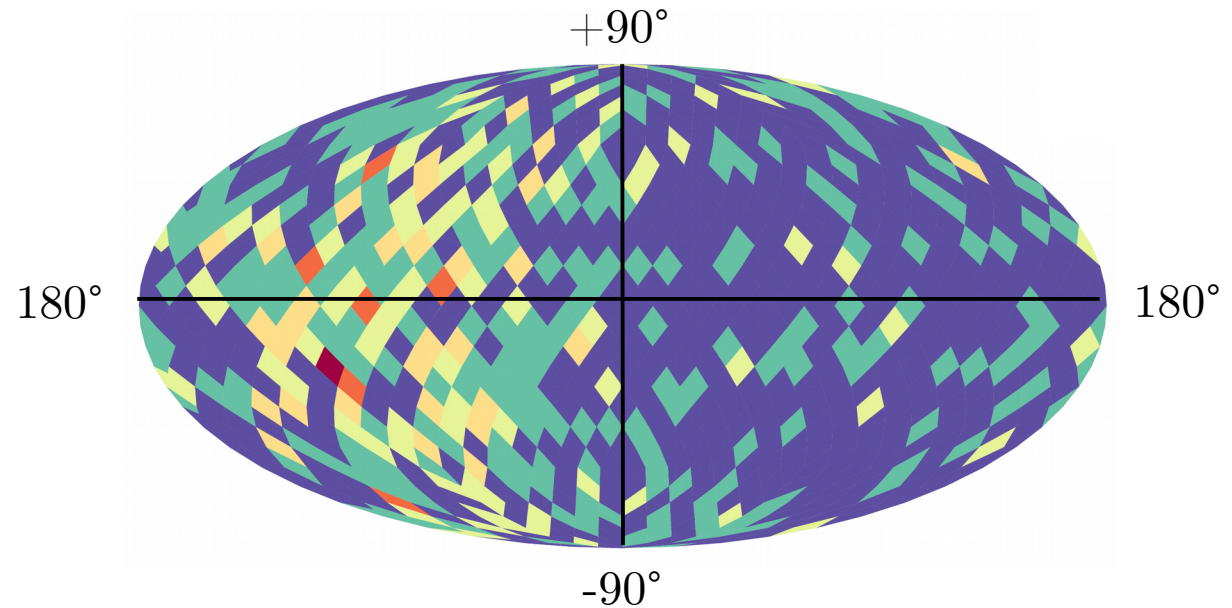
Directional detectors



How to measure directionality:

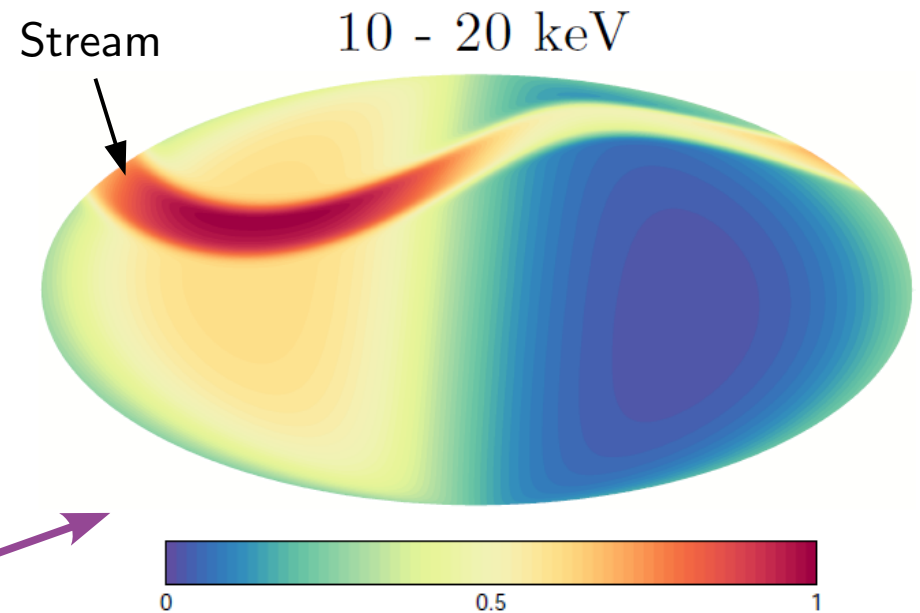
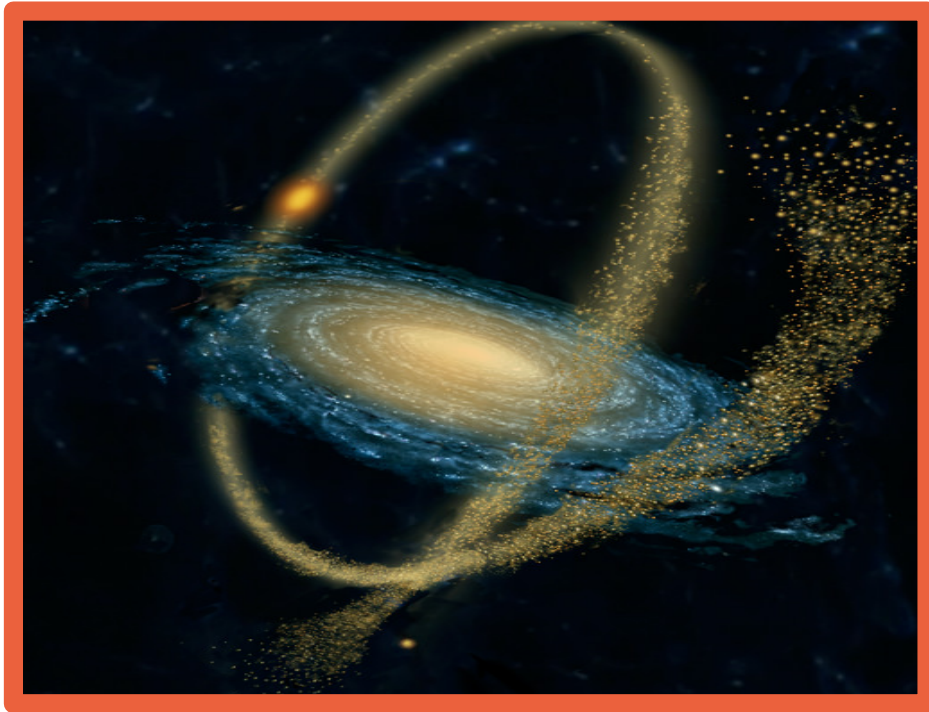
- **Low pressure gas TPC**
e.g. DRIFT, DMTPC, MIMAC, NEWAGE
- Nuclear emulsions [1604.04199]
- LXe/LAr Columnar recomb. [1704.03741]
- ZnWO_4 scintillators [Cappella et al 17]

Experimentally challenging,
but can discover DM with
 $O(30)$ recoil directions



Detecting streams

- Tidal streams produce striking directional recoil patterns:



Scattering signal

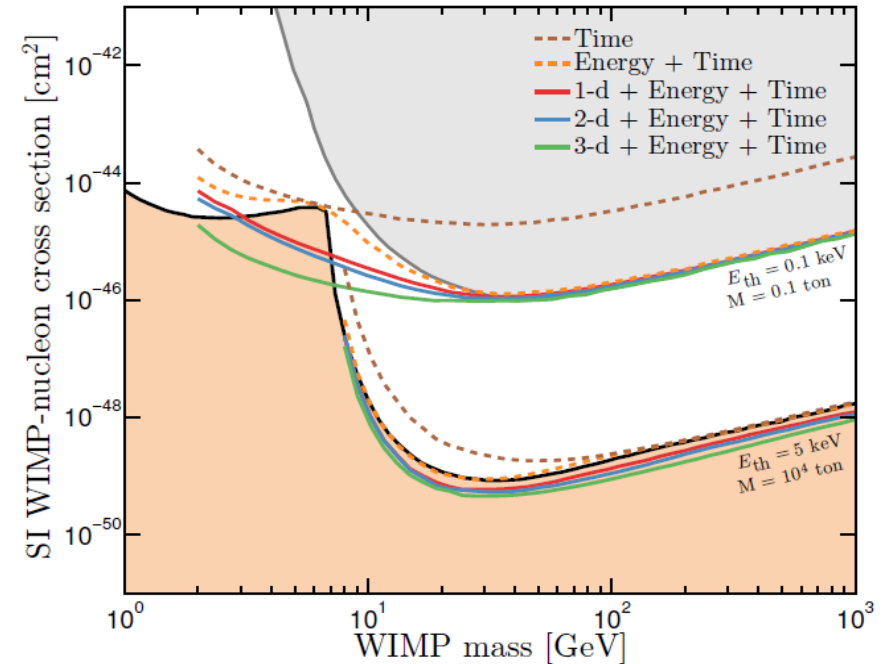
- Detection requires $O(1000)$ events in conventional detector
→ $O(100)$ events in directional detector [O'Hare & Green \[1410.2749\]](#)

More stuff with directional detectors...

The neutrino floor

→ Directional information can be used to subtract the otherwise irreducible neutrino background

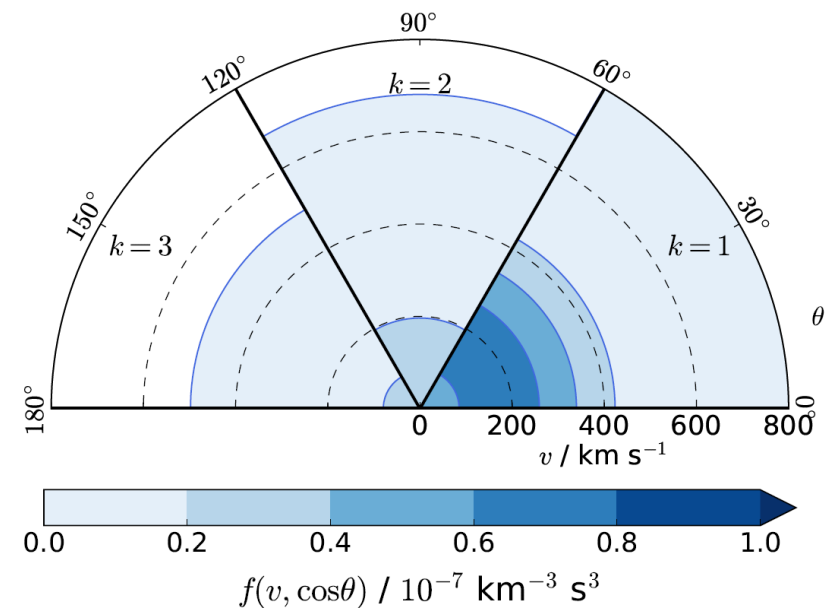
O'Hare et al [1505.08061]



Discretised velocity distribution:

→ How to measure the velocity distribution with **no** prior assumptions

Kavanagh & O'Hare [1609.08630]

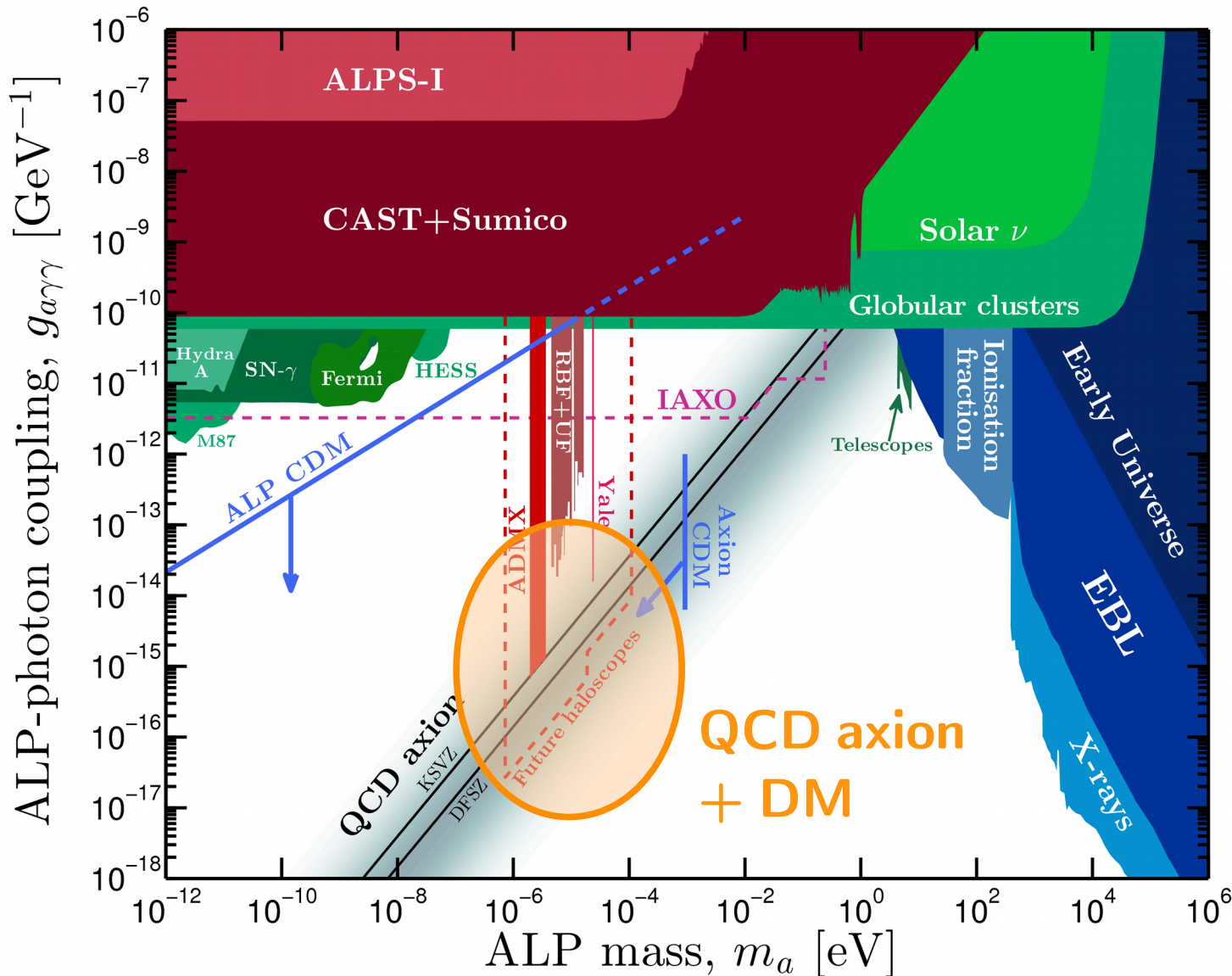


Axions

Axion/ALPs

- Search for pseudoscalar $a(x)$, with a coupling to EM:

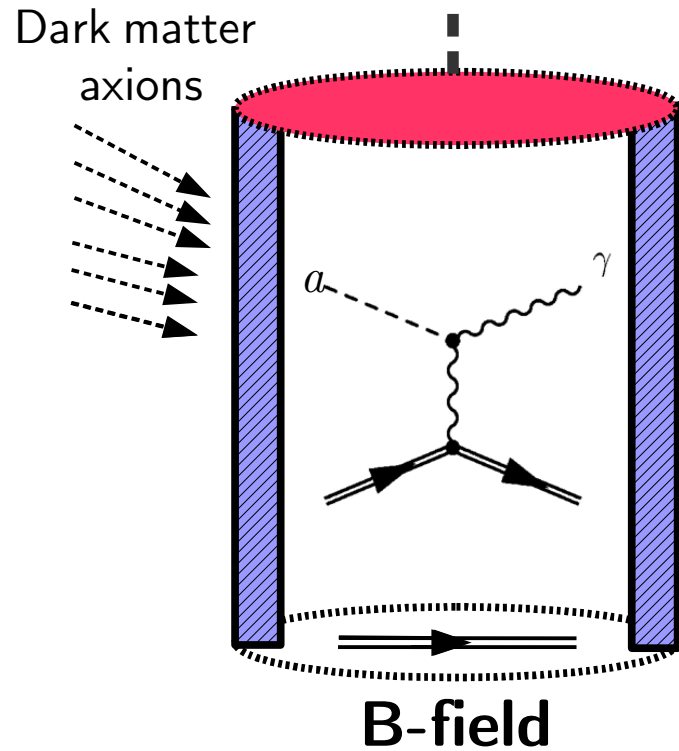
$$\mathcal{L} = -\frac{1}{4} g_{a\gamma\gamma} a(x) F_{\mu\nu} \tilde{F}^{\mu\nu}$$



Constraints from:

- **Experiments**
- **Astrophysics**
- **Cosmology**

Axion Haloscope



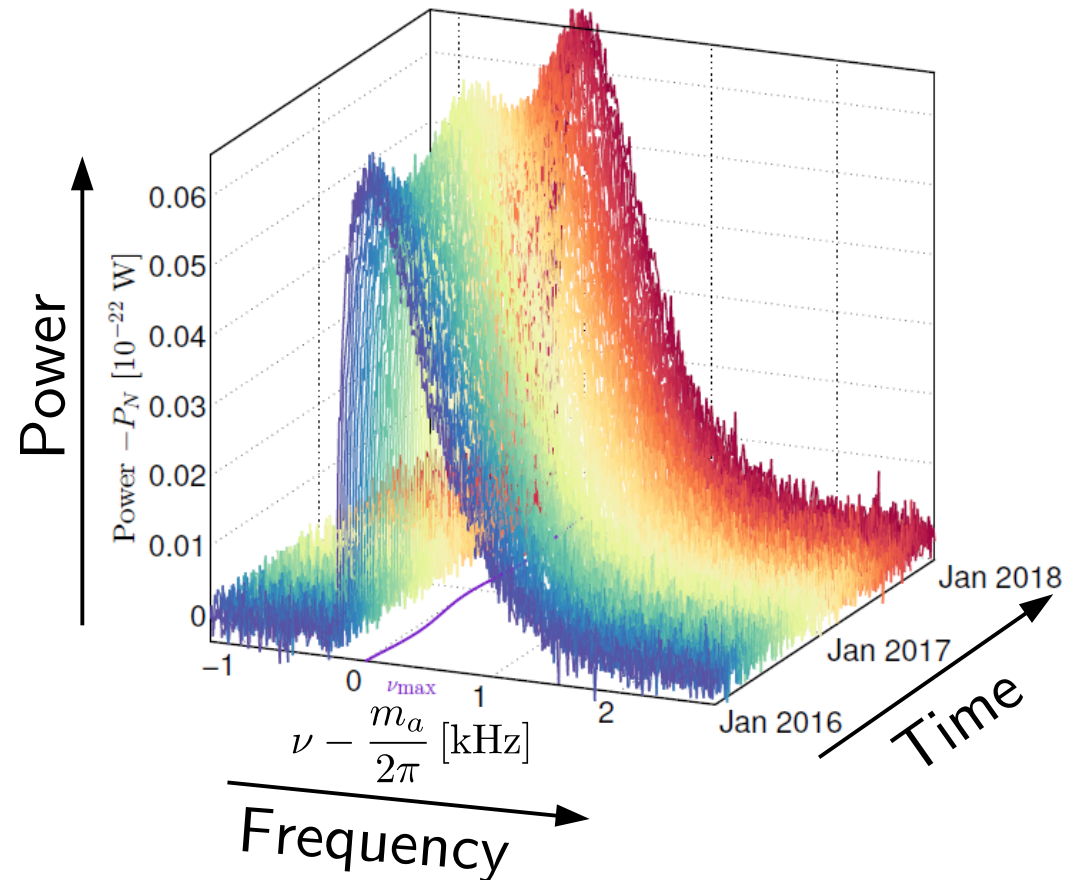
Resonant cavity experiment

→ To detect axion: resonance = axion mass

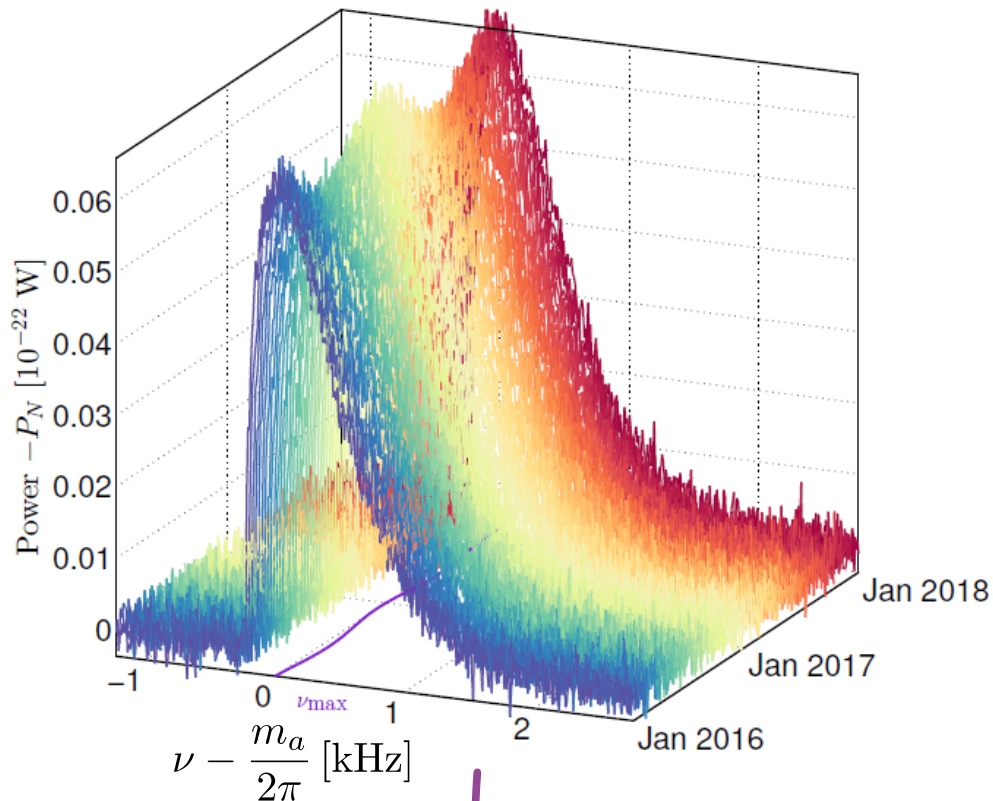
Once axion is detected:

- Measure power spectrum
- Measure annual modulation
- Probe substructure

→ ***axion astronomy***



O'Hare & Green [1701.03118]

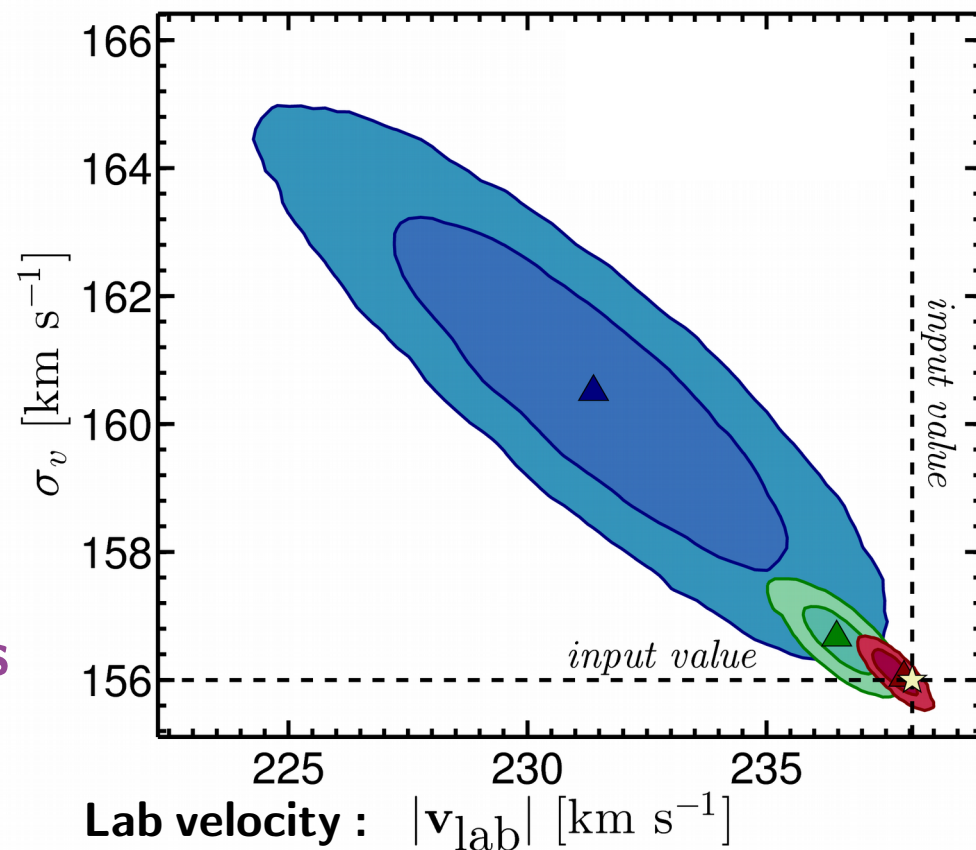


Experiment duration:
(for QCD axion)

- $\tau_{\text{tot}} = 10$ days
- $\tau_{\text{tot}} = 0.5$ yr
- $\tau_{\text{tot}} = 1$ yr

Max likelihood fit:
→ Extract astrophysical parameters

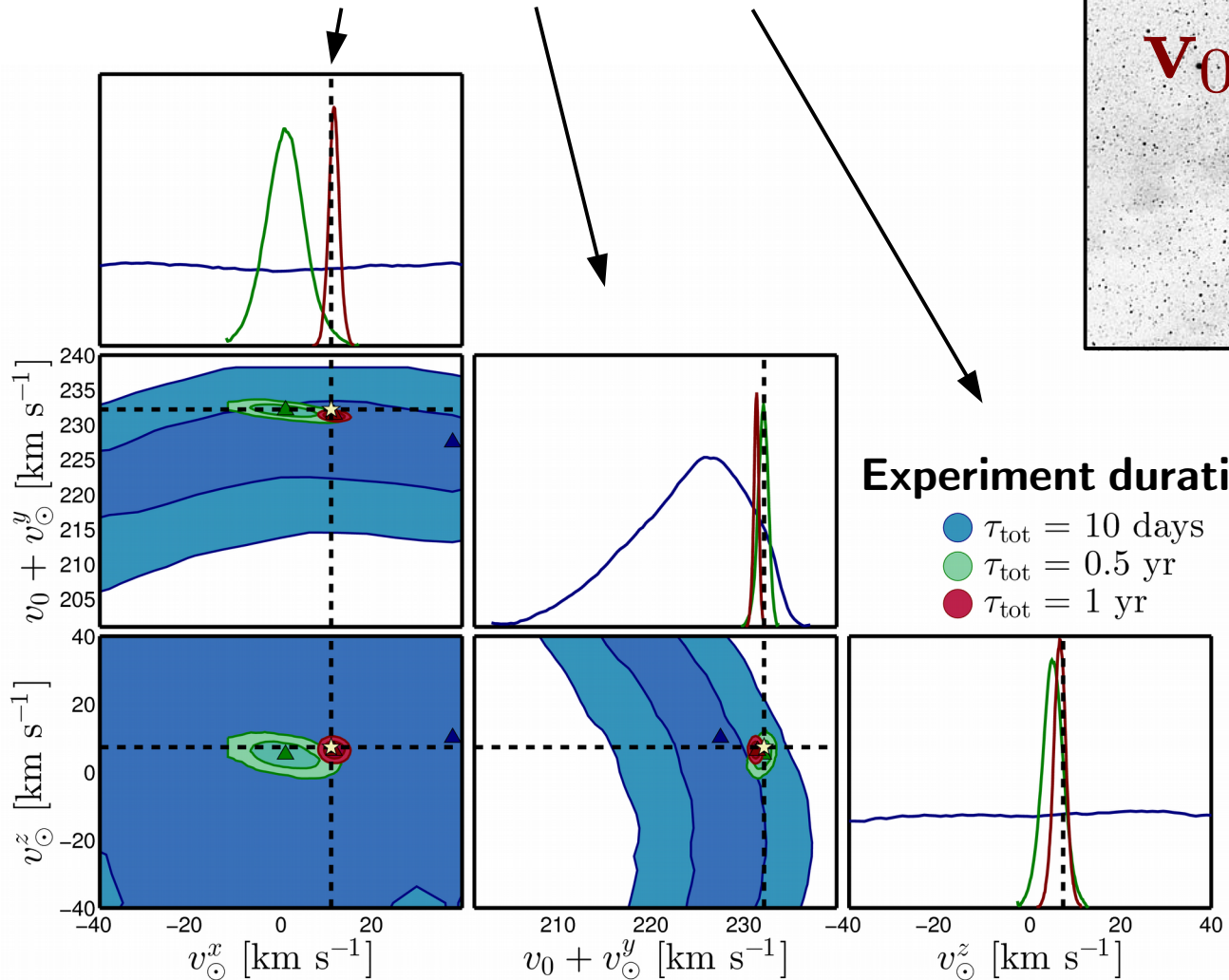
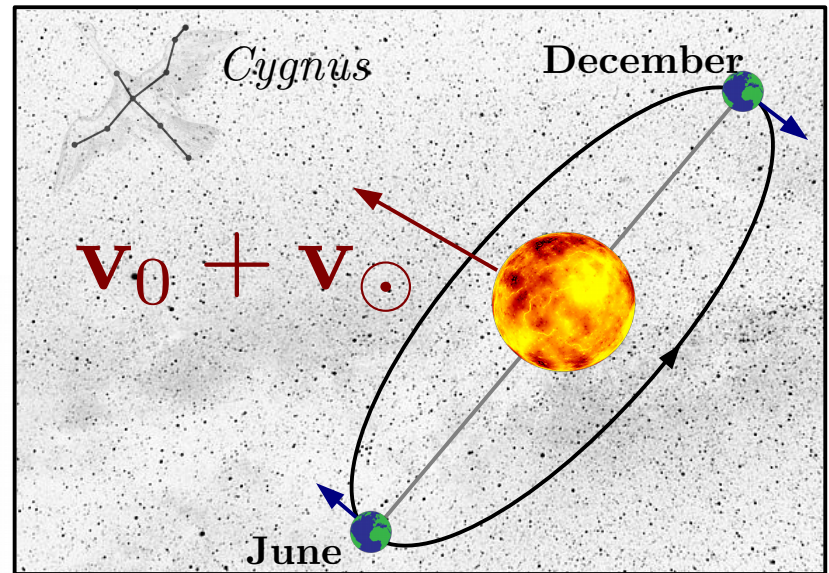
Halo dispersion



Measuring Solar velocity: $\mathbf{v}_0 + \mathbf{v}_\odot$

Components in Galactic coords:

$$= (v_\odot^x, v_0 + v_\odot^y, v_\odot^z)$$



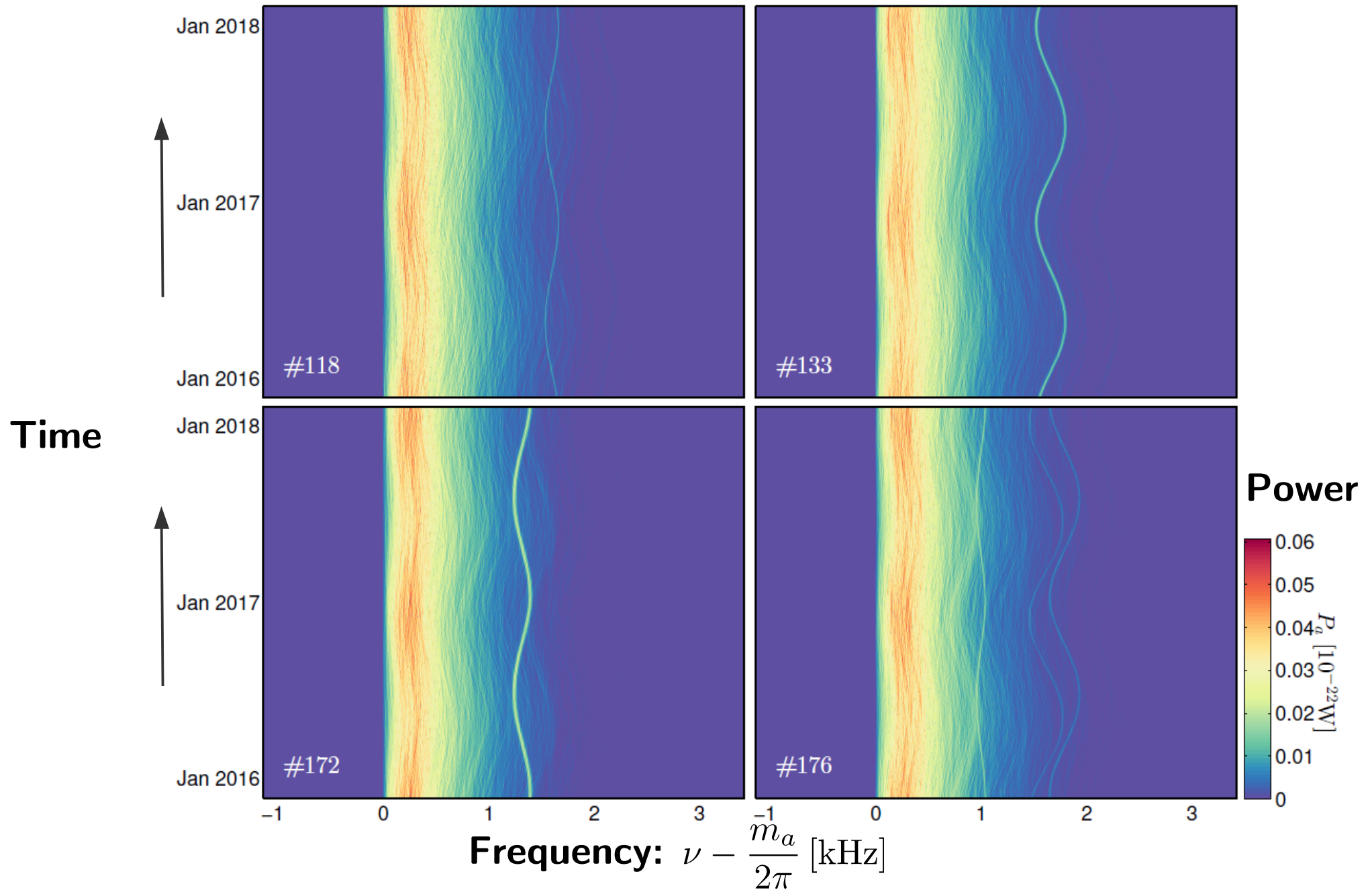
Experiment duration:

- $\tau_{\text{tot}} = 10$ days
- $\tau_{\text{tot}} = 0.5$ yr
- $\tau_{\text{tot}} = 1$ yr

accuracy < 1 km/s
→ Better than astronomical determinations

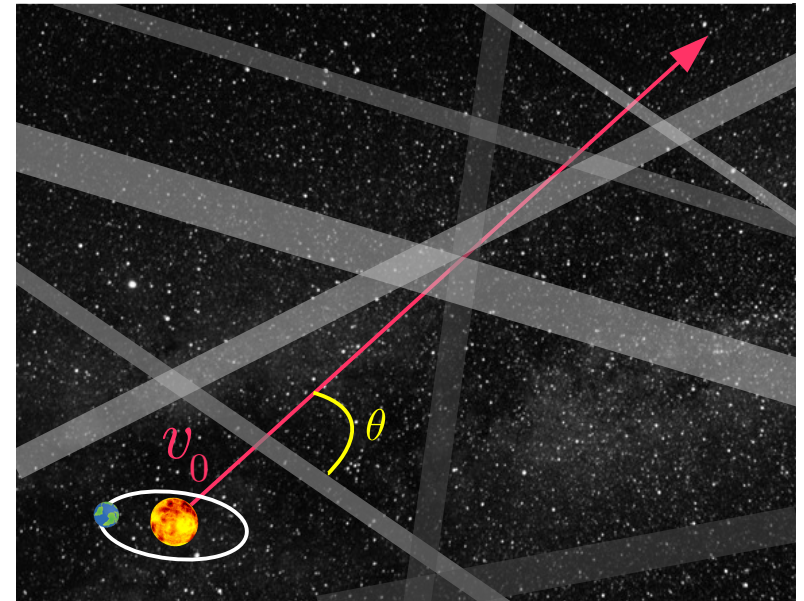
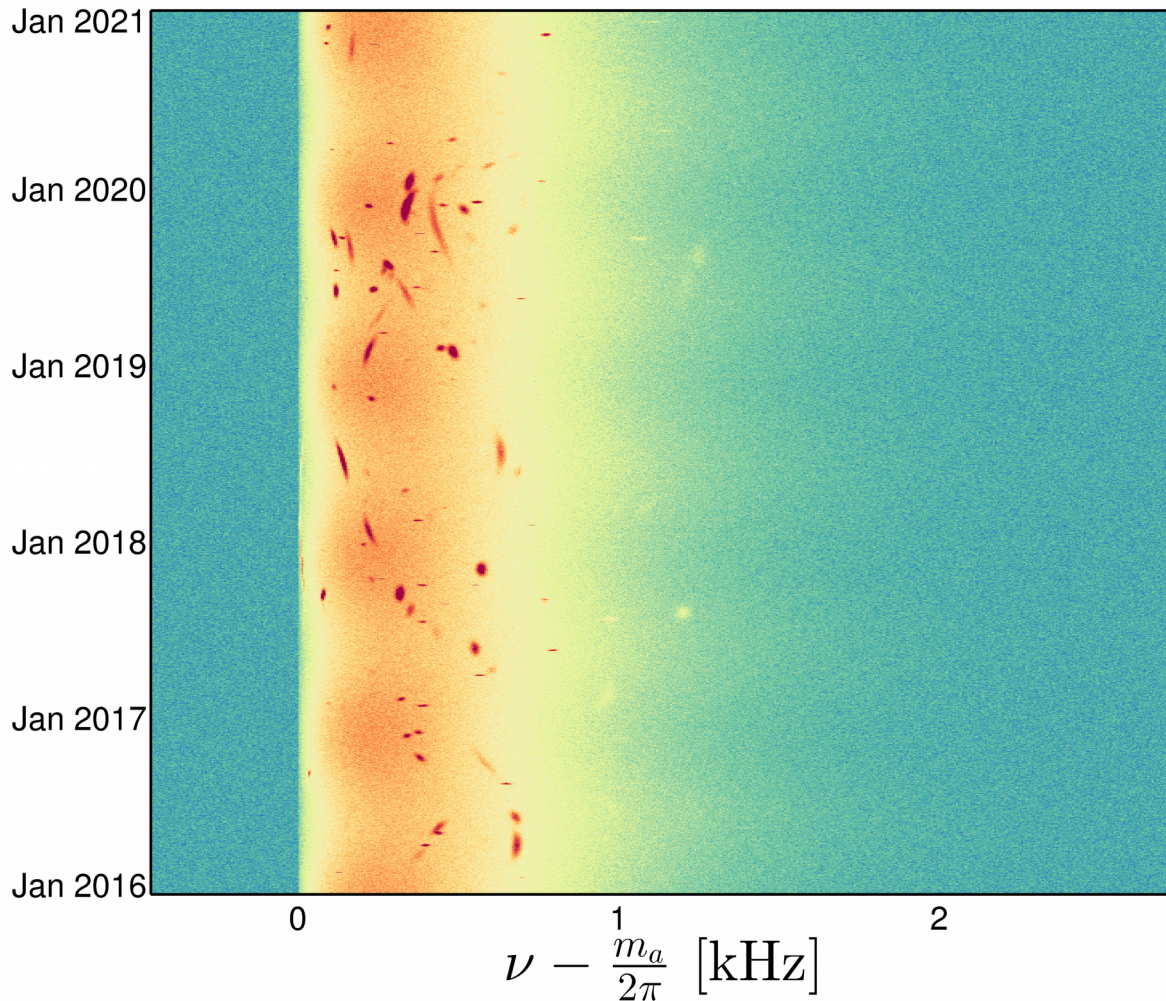
Example power spectra from an N-body simulation

- Particles inside 1 kpc sized bubbles at $r = 8$ kpc Galactic radius



Axion miniclusters

- Collapsing perturbations in early Universe can form small clumps of axions
- Tidally disrupted by interactions with stars
 - network of minicluster streams wrapping Milky Way [Tinyakov \[1512.02884\]](#)
 - stream crossing time $O(1-100)$ days



May need to be distinguished from environmental noise peaks with use of time/daily modulation

Take home:

Must understand local
MW halo to do dark
matter detection



Dark matter detection
can help us understand
the local MW halo

If a **WIMP** or **axion** has been detected...



Can you do WIMP
astronomy?

Sort of, but you
probably need a big
detector and ideally a
directional one



Can you do axion
astronomy?

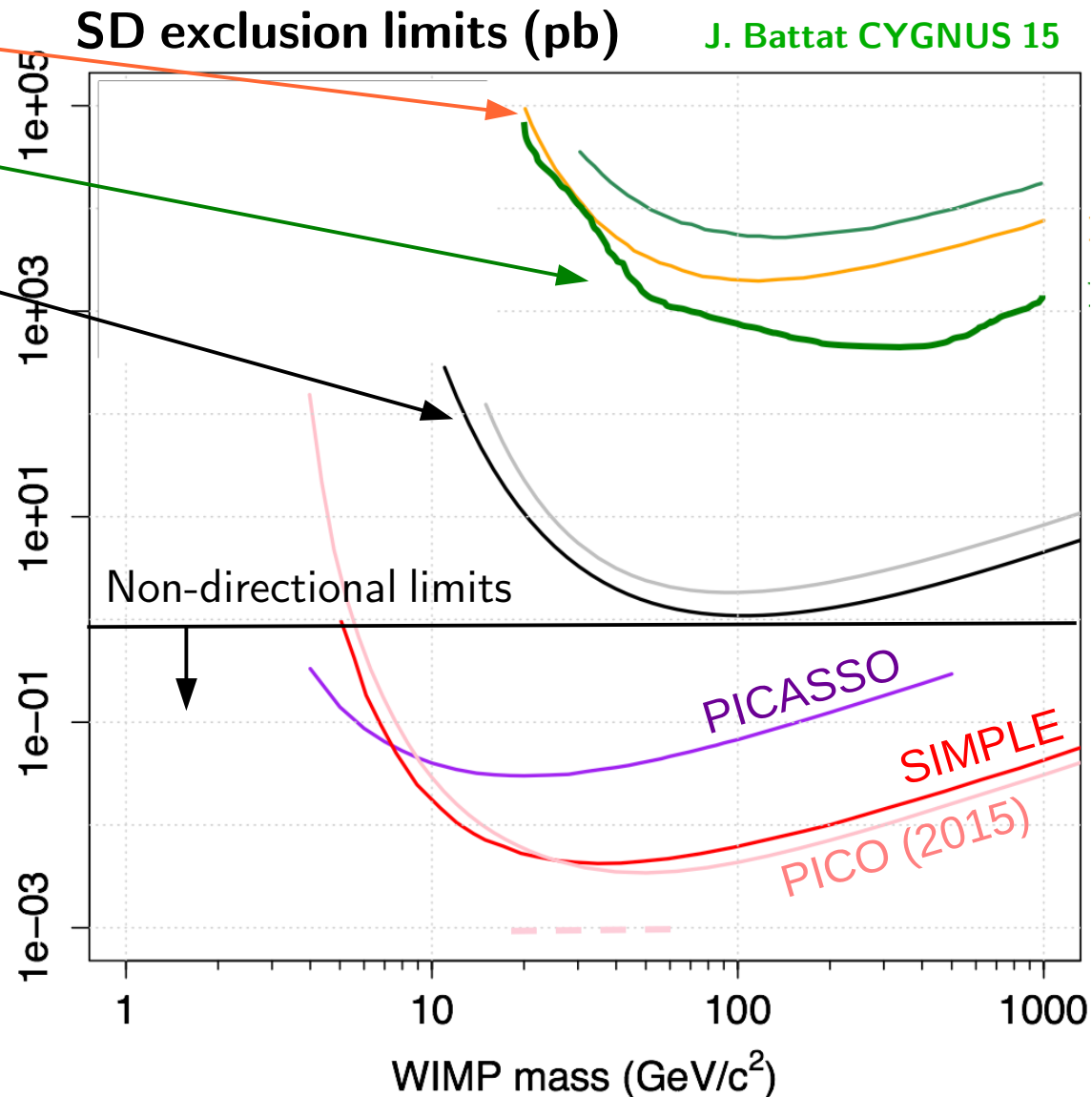
Yes! A haloscope could
measure the local halo
more accurately than an
astronomer

Bonus

Directional detectors

Best at the moment: low pressure gas TPCs

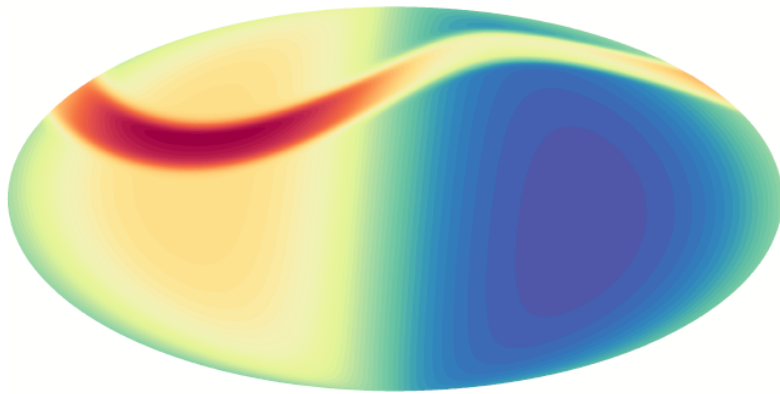
- DM-TPC (USA)
- NEWAGE (Japan)
- DRIFT (UK)
- MIMAC (France)



Detecting streams

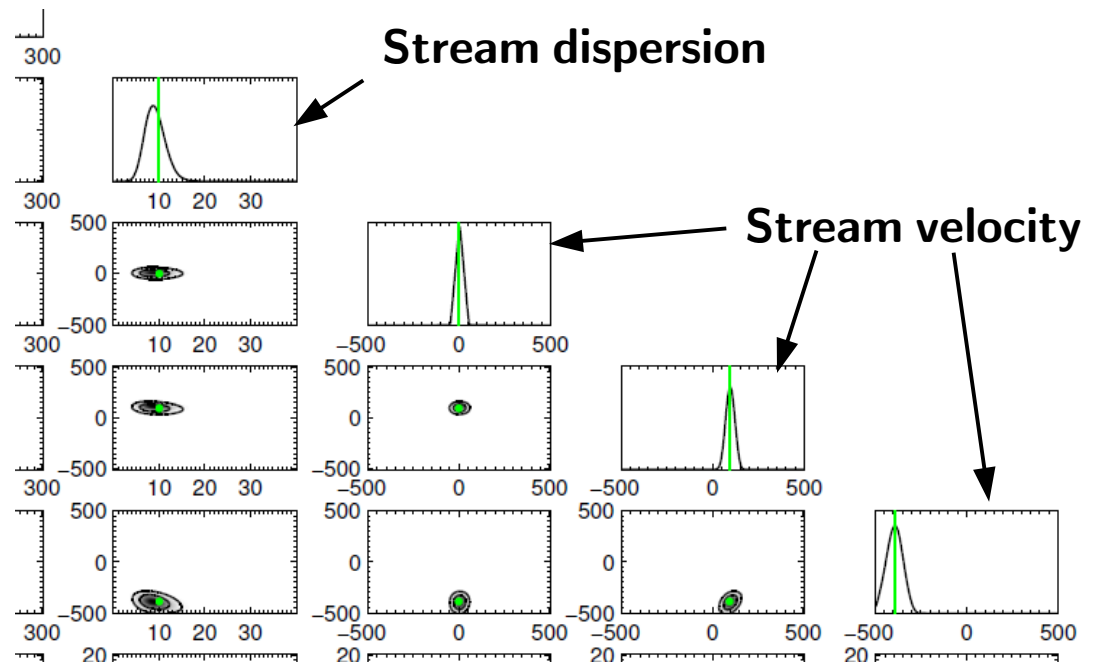
- Could detect Sagittarius stream with 20 kg-year directional detector
 - Non-parametrically (test for median direction/rotational symmetry)
 - Parametrically (model stream → likelihood fit)

10 - 20 keV



Likelihood fit

O'Hare & Green [1410.2749]



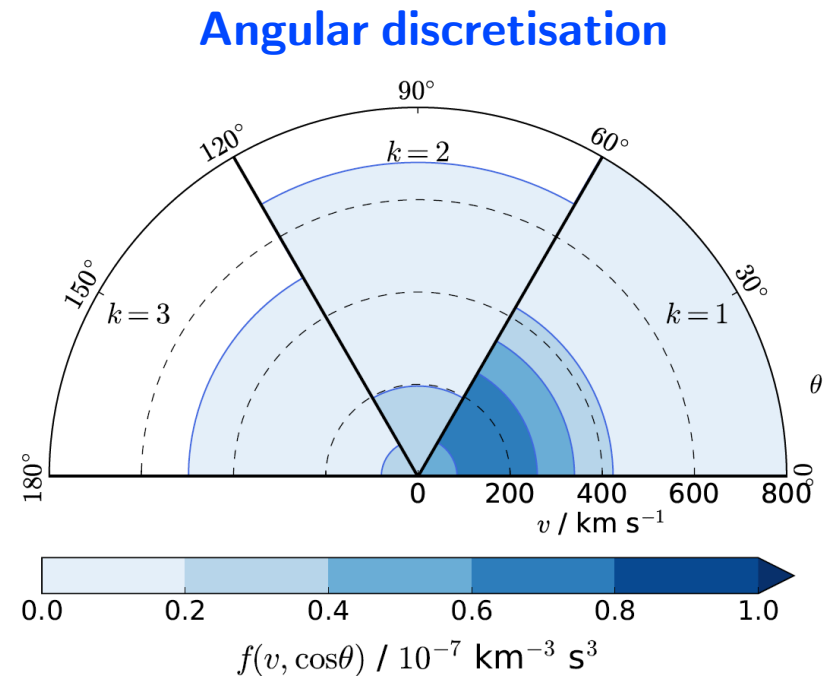
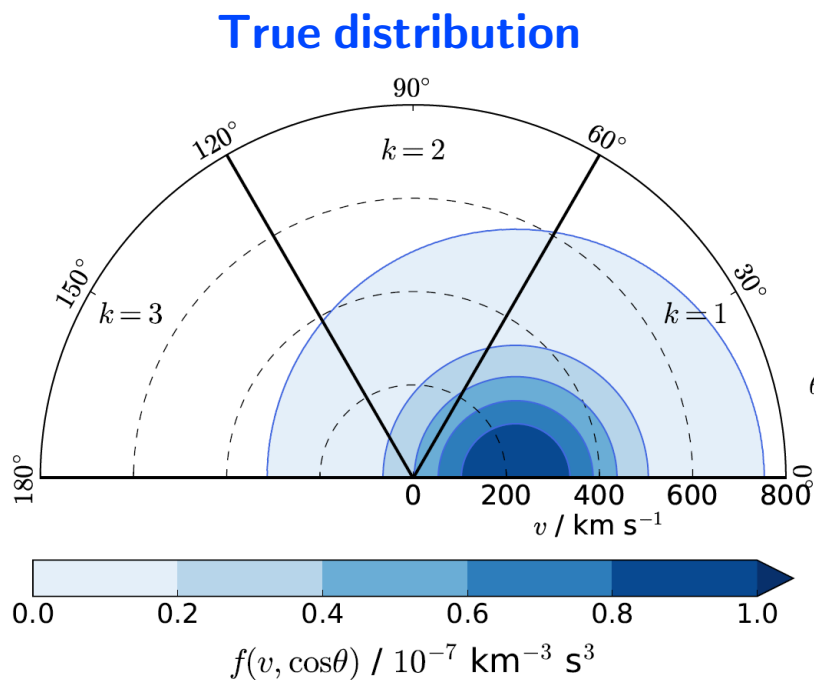
Empirical velocity distribution

B. J. Kavanagh & C. A. J. O'Hare [1609.08630]

- Can we extract the velocity distribution from directional experiments in a model independent way?

$$f(\mathbf{v}) = f(v, \cos \theta, \phi) = \begin{cases} f^1(v) & \text{for } \theta \in [0^\circ, 60^\circ] \\ f^2(v) & \text{for } \theta \in [60^\circ, 120^\circ] \\ f^3(v) & \text{for } \theta \in [120^\circ, 180^\circ] \end{cases}$$

Empirical polynomial fit in each bin



Reconstructing the velocity distribution

- For a given benchmark model generate mock data for two future directional detectors

	<u>Target</u>	<u>Threshold</u>	<u>Exposure</u>
<u>Experiment 1:</u>	Xe	5 keV	1 ton-year
+			
<u>Experiment 2:</u>	F	20 keV	10 kg-year

- Compare three methods of reconstruction

Method A: Best case

We know the underlying velocity distribution and its parameters

Fit: mass, cross-section

Method B: Reasonable case

We know the form of the velocity distribution but not the parameters

Fit: mass, cross section + astrophysical params.

Method C: Worst case

We know nothing at all about the velocity distribution

Fit: mass, cross section + empirical parameters

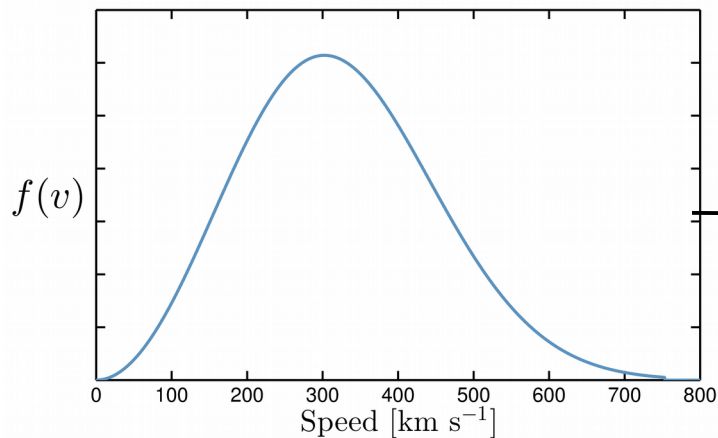
Benchmarks models:

SHM:

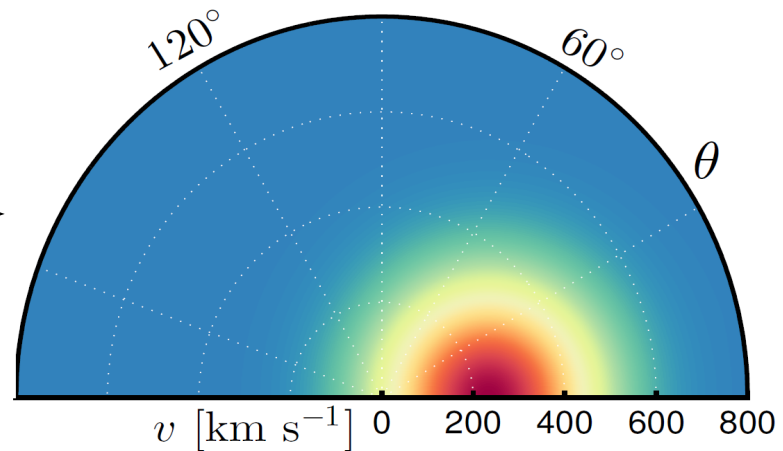
$$v_0 = 220 \text{ km/s}$$

$$v_{\text{esc}} = 533 \text{ km/s}$$

Speed distributions

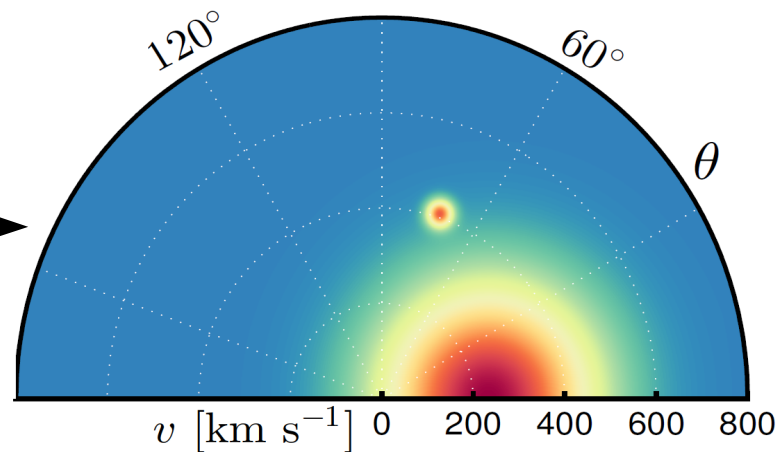
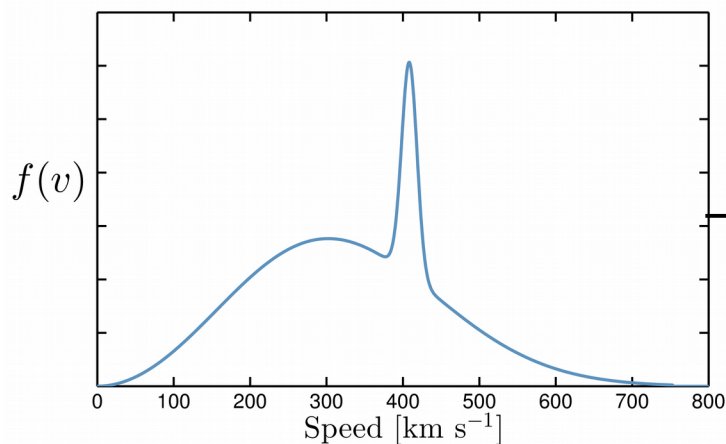


Velocity distributions



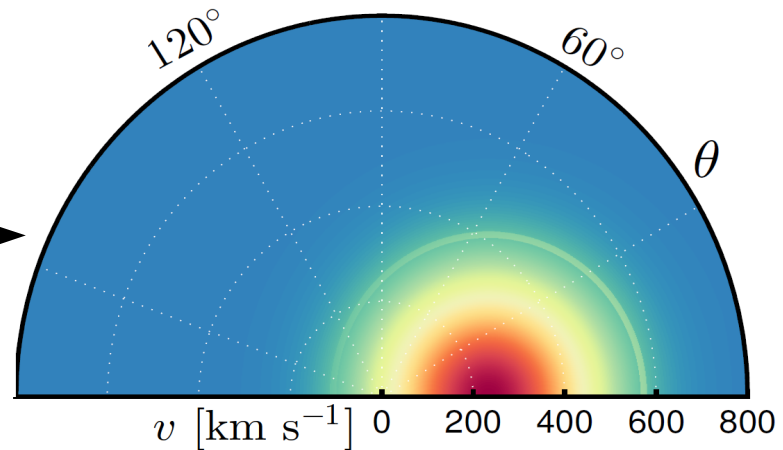
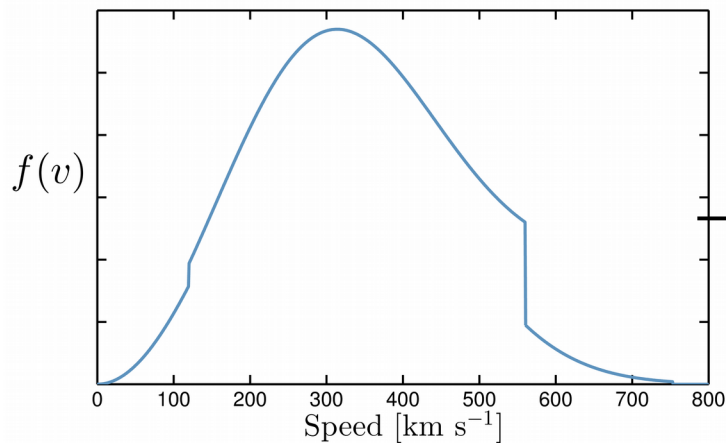
SHM+Stream:

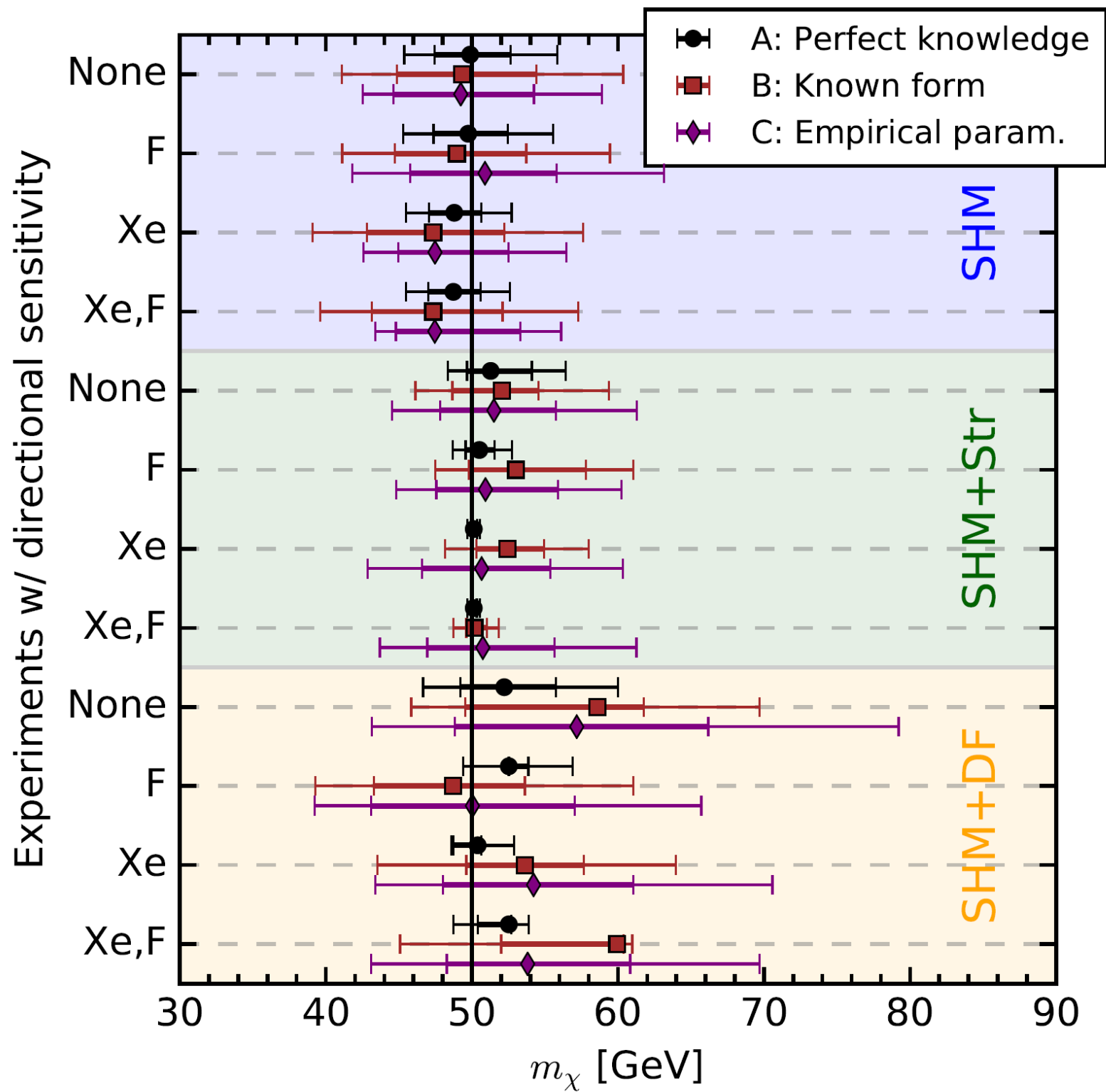
Purcell [1203.6617]



SHM+Debris flow:

Kuhlen [1202.0007]



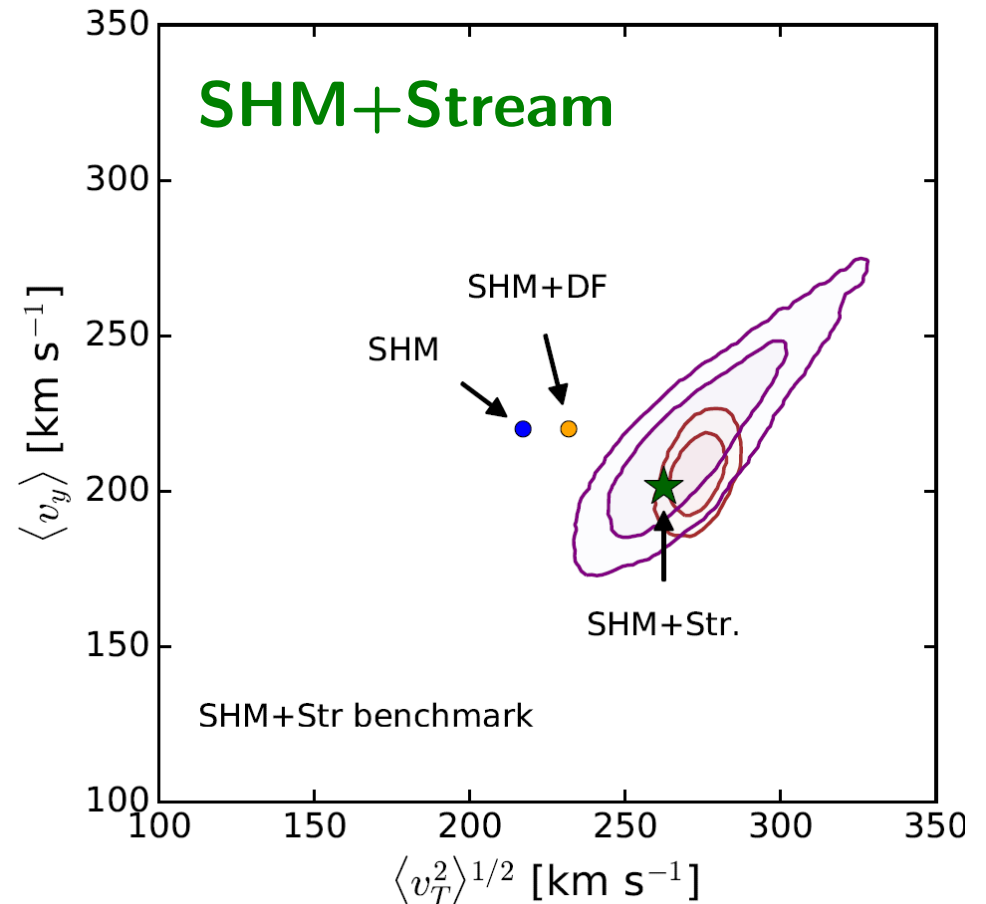
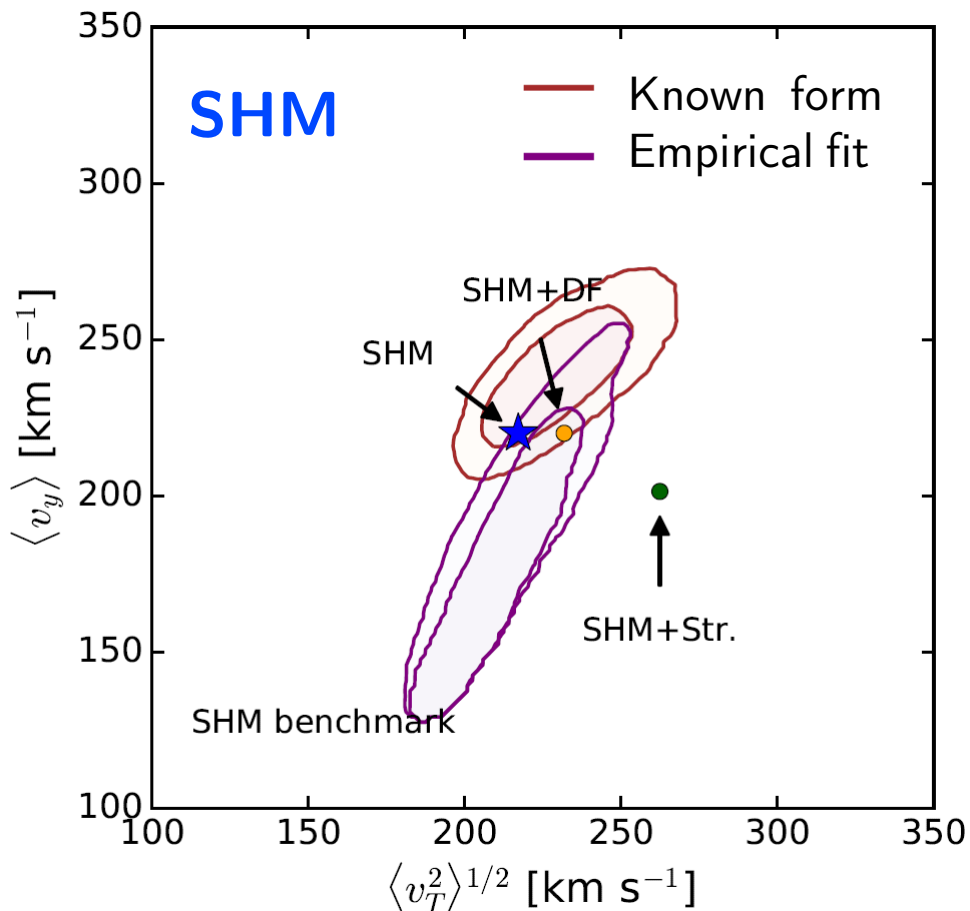


Comparing reconstructions

- Ideally we extract something physical to hint towards substructure

Average *parallel* to Earth's motion: $\langle v_y \rangle = \int dv \int_0^{2\pi} d\phi \int_{-1}^1 d \cos \theta (v \cos \theta) v^2 f(\mathbf{v})$

Average *transverse* to Earth's motion: $\langle v_T^2 \rangle = \int dv \int_0^{2\pi} d\phi \int_{-1}^1 d \cos \theta (v^2 \sin^2 \theta) v^2 f(\mathbf{v})$

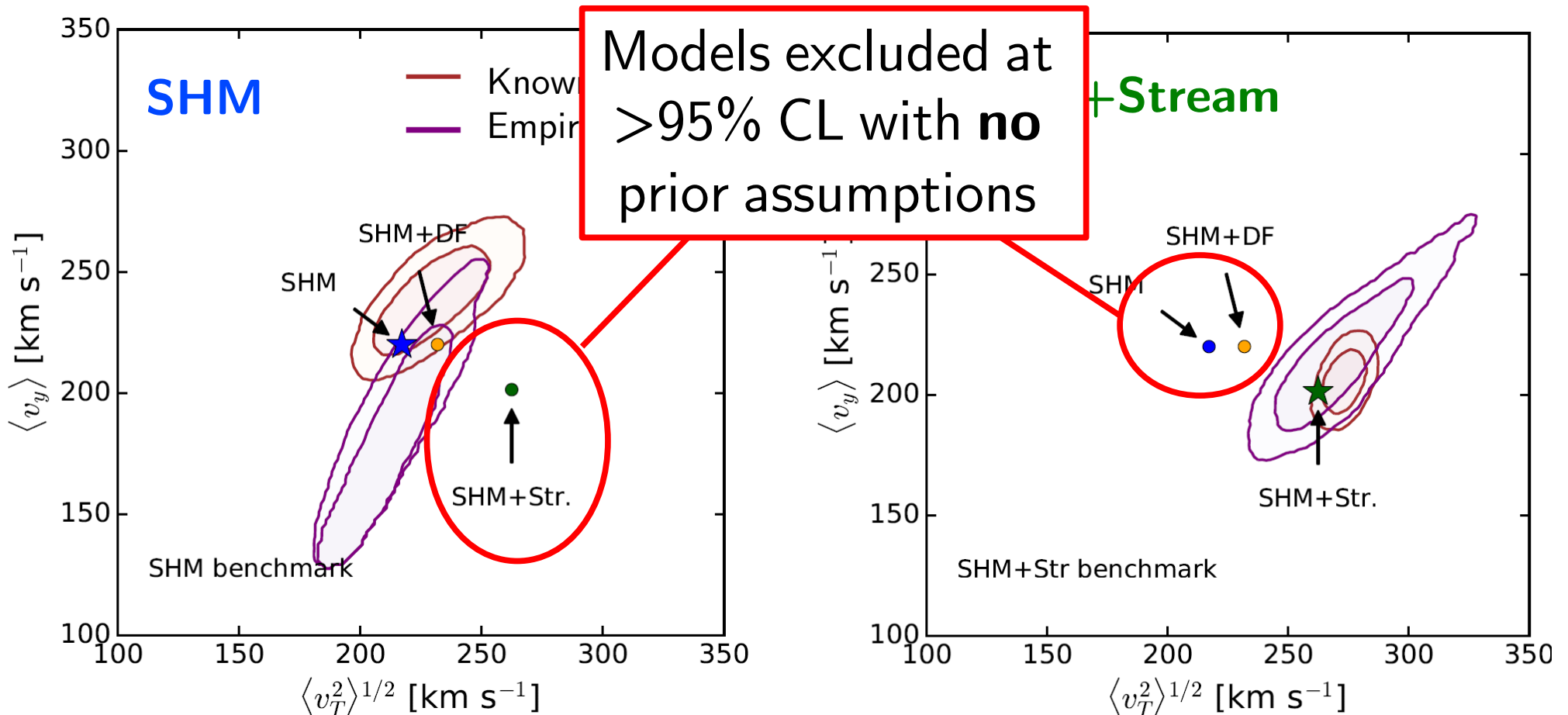


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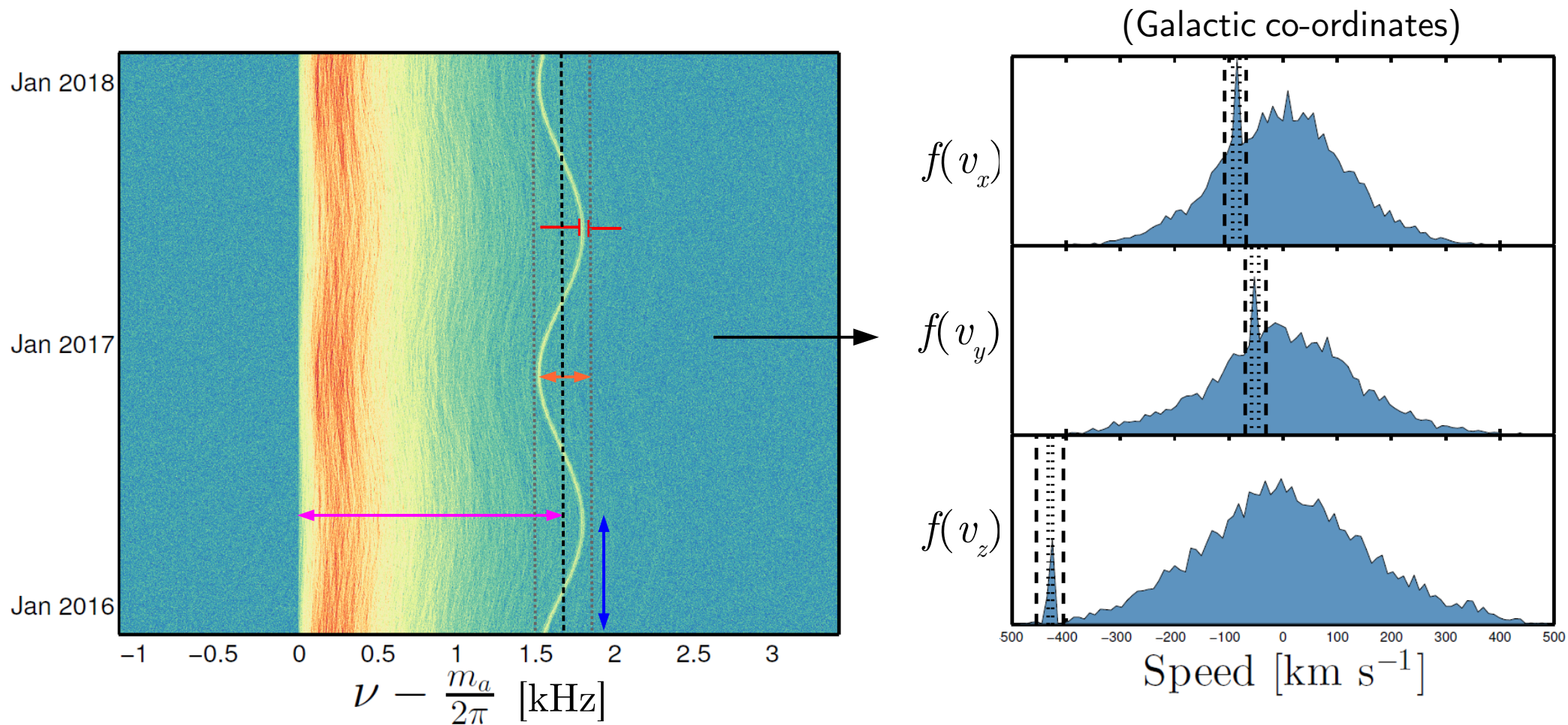
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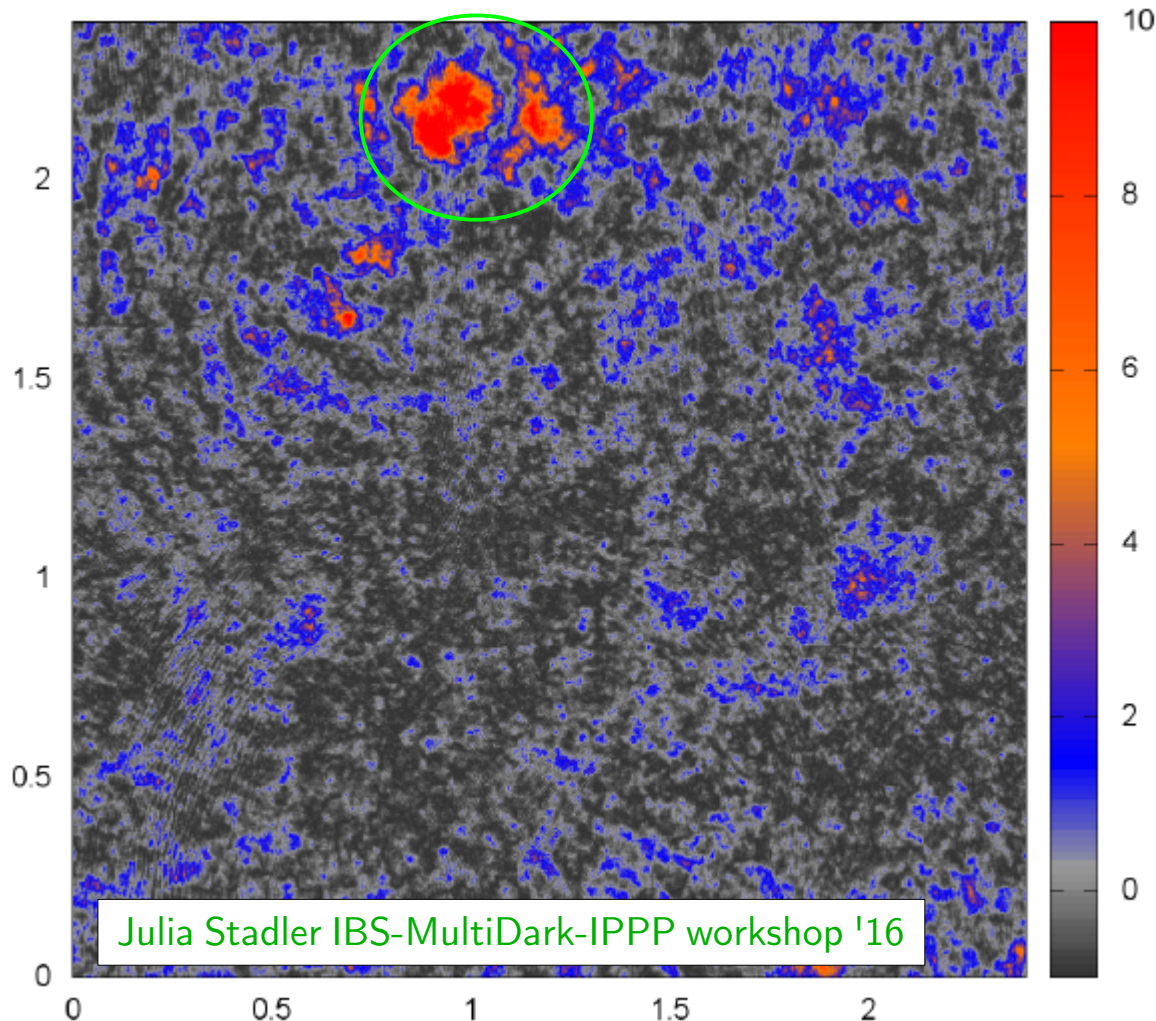
Measuring tidal streams

- Can extract all five properties of a stream from sinusoid
 - Stream density ← Power relative to bulk
 - Stream dispersion ← Width of sinusoid
 - Galactic velocity ← Amplitude, phase and mean of sinusoid



Axion miniclusters

- Collapsing density perturbations in the early Universe can form small clusters of axions



Density contrast: $\Phi = \frac{\delta\rho}{\rho} \sim 1$

Mass: $M \sim 10^{-12} M_{\odot}$

Radius: $R \sim 10^7$ km

Density: $\rho \sim 10^6 \text{ GeV cm}^{-3}$

- Could comprise non-negligible fraction of DM halo
- Up to 10^{10} pc^{-3} in the local stellar neighbourhood?

Tinyakov [1512.02884]